

Package ‘ecespa’

January 2, 2012

Type Package

Title Functions for spatial point pattern analysis

Version 1.1-04

Date 2010-04-12

Author Marcelino de la Cruz Rot, Philip M. Dixon and Jose M. Blanco-Moreno

Maintainer Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

Depends splancs, spatstat (>= 1.4.0), fields, akima

Description Some wrappers, functions and data sets for for spatial point pattern analysis (mainly based on spatstat), used in the book ‘Introduccion al Analisis Espacial de Datos en Ecologia y Ciencias Ambientales: Metodos y Aplicaciones’.

License GPL (>= 2)

LazyLoad yes

LazyData yes

Repository CRAN

Date/Publication 2010-04-12 18:51:24

R topics documented:

dixon2002	2
ecespa	5
figuras	11
getis	14
gypsophylous	16
haz.ppp	17
Helianthemum	18
ipc.estK	19

K012	23
K1K2	26
Kci	28
Kinhom.log	32
Kmm	35
Kmulti.ls	38
marksum	40
p2colasr	42
pc.estK	43
quercusvm	46
rIPCP	47
seedlings	49
sim.poissonc	50
swamp	52
syrjala	53
syrjala.data	56

Index	58
--------------	-----------

dixon2002	<i>Dixon (2002) Nearest-neighbor contingency table analysis</i>
-----------	---

Description

dixon2002 is a wrapper to the functions of Dixon (2002) to test spatial segregation for several species by analyzing the counts of the nearest neighbour contingency table for a marked point pattern.

Usage

```
dixon2002(datos, nsim = 99)
```

Arguments

datos	data.frame with three columns: x-coordinate, y-coordinate and sp-name. See swamp .
nsim	number of simulations for the randomization approximation of the p-values.

Details

A measure of segregation describes the tendency of one species to be associated with itself or with other species. Dixon (2002) proposed a measure of the **segregation of species i** in a multispecies spatial pattern as:

$$S[i] = \log[(N[ii]/(N[i] - N[ii]))/((N[i] - 1)/(N - N[i]))]$$

where $N[i]$ is the number of individuals of species i , $N[ii]$ is the frequency of species i as neighbor of species i and N is the total number of locations. Values of $S[i]$ larger than 0 indicate that

species i is segregated; the larger the value of $S[i]$, the more extreme the segregation. Values of $S[i]$ less than 0 indicate that species i is found as neighbor of itself less than expected under random labelling. Values of $S[i]$ close to 0 are consistent with random labelling of the neighbors of species i .

Dixon (2002) also proposed a **pairwise segregation index** for the off-diagonal elements of the contingency table:

$$S[ij] = \log[(N[ij]/(N[i] - N[ij]))/((N[i]/(N - N[j]) - 1)]$$

$S[ij]$ is larger than 0 when $N[ij]$, the frequency of neighbors of species j around points of species i , is larger than expected under random labelling and less than 0 when $N[ij]$ is smaller than expected under random labelling.

As a **species/neighbor-specific test**, Dixon(2002) proposed the statistic

$$Z[ij] = (N[ij] - EN[ij])/sqrt(VarN[ij])$$

where j may be the same as i and $EN[ij]$ is the expected count in the contingency table. It has an asymptotic normal distribution with mean 0 and variance 1; its asymptotic p-value can be obtained from the numerical evaluation of the cumulative normal distribution or by simulation, i.e., by conducting a randomization test (appropriate when the sample size is small).

An **overall test of random labelling** (i.e. a test that all counts in the $k \times k$ nearest-neighbor contingency table are equal to their expected counts) is based on the quadratic form

$$C = (N - EN)'Sigma^{-}(N - EN)$$

where N is the vector of all cell counts in the contingency table, $Sigma$ is the variance-covariance matrix of those counts and $Sigma^{-}$ is a generalized inverse of $Sigma$. Under the null hypothesis of random labelling of points, C has a asymptotic Chi-square distribution with $k(k - 1)$ degrees of freedom (if the sample sizes are small its distribution should be estimated using Monte-Carlo simulation). P-values are computed from the probability of observing equal or larger values of C . The overall statistic C can be partitioned into k **species-specific test** statistics $C[i]$. Each $C[i]$ test if the frequencies of the neighbors of species i are similar to the expected frequencies if the points were randomly labelled. Because the $C[i]$ are not independent Chi-square statistics, they do not sum to the overall C .

Value

A list with the following components:

ON	Observed nearest neighbor counts in table format. From row sp to column sp.
EN	Expected nearest neighbor counts in table format.
Z	Z-score for testing whether the observed count equals the expected count.
S	Segregation measure.
pZas	P-values based on the asymptotic normal distribution of the Z statistic.
pZr	If nsim !=0, p-values of the Z-score based on the randomization distribution.
C	Overall test of random labelling.

Ci	Species-specific test of random labelling.
pCas	P-value of the overall test from the asymptotic chi-square distribution with the appropriate degrees of freedom.
pCias	P-values of the species-specific tests from the asymptotic chi-square distribution with the appropriate degrees of freedom.
pCr	If nsim !=0, p-value of the overall test from the randomization distribution.
pCir	If nsim !=0, p-values of the species-specific tests from the randomization distribution.
tablaZ	table with ON, EN, Z, S, pZas and pZr in pretty format, as in the table II of Dixon (2002).
tablaC	table with C, Ci, pCas,pCias, pCr and pCir in pretty format, as in the table IV of Dixon (2002).

Warning

The $S[i]$ and $S[ij]$ statistics assume that the spatial nearest-neighbor process is stationary, at least to second order, i.e., have the same sign in every part of the entire plot. A biologically heterogeneous process will violate this assumption.

Author(s)

Philip M. Dixon <http://www.public.iastate.edu/~pdixon/>. Marcelino de la Cruz <marcelino.delacruz@upm.es> wrote the wrapper code for the ecespa version.

References

Dixon, P.M. 2002. Nearest-neighbor contingency table analysis of spatial segregation for several species. *Ecoscience*, **9** (2): 142-151.

See Also

[K012](#) for another segregation test, based in the differences of univariate and bivariate K -functions.

Examples

```
## Not run:

data(swamp)

dixon2002(swamp, nsim=99)

## End(Not run)
```

Description

Some wrappers, functions and data sets for spatial point pattern analysis, with an ecological bias.

Details

Package: ecespa
Type: Package
Version: 1.1-3
Date: 2009-01-09
License: GPL (>=2)

Author(s)

Marcelino de la Cruz Rot, with contributions of Philip M. Dixon and Jose M. Blanco-Moreno and heavily borrowing Baddeley's & Turner's **spatstat** code.

Maintainer: Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

De la Cruz, M. 2008. Métodos para analizar datos puntuales. En: *Introducción al Análisis Espacial de Datos en Ecología y Ciencias Ambientales: Métodos y Aplicaciones* (eds. Maestre, F. T., Escudero, A. y Bonet, A.), pp 76-127. Asociación Española de Ecología Terrestre, Universidad Rey Juan Carlos y Caja de Ahorros del Mediterráneo, Madrid.

De la Cruz, M., Romao, R.L., Escudero, A. and Maestre, F.T. 2008. Where do seedlings go? A spatio-temporal analysis of early mortality in a semiarid specialist. *Ecography*,31 DOI: 10.1111/j.2008.0906-7590.05299 .

Diggle, P. J. 2003. *Statistical analysis of spatial point patterns*. Arnold, London.

Dixon, P.M. 2002. Nearest-neighbor contingency table analysis of spatial segregation for several species. *Ecoscience*, **9** (2): 142-151.

Olano, J.M., Laskurain, N.A., Escudero, A. and De la Cruz, M. 2009. Why and where adult trees die in a secondary temperate forest? The role of neighbourhood. *Annals of Forest Science* DOI: 10.1051/forest:2008074 .

Penttinen, A. 2006. Statistics for Marked Point Patterns. In *The Yearbook of the Finnish Statistical Society*, pp. 70-91.

Rey-Benayas, J.M., de la Montaña, E., Pérez-Camacho, L., de la Cruz, M., Moreno, D., Parejo, J.L. and Suárez-Seoane, S. 2008. Inter-annual dynamics and spatial congruence of a nocturnal bird assemblage inhabiting a Mediterranean agricultural mosaic. *Submitted*.

Syrjala, S. E. 1996. A statistical test for a difference between the spatial distributions of two populations. *Ecology* 77: 75-80.

Examples

```
## Not run:

#####
### Transform easily data from a data.frame into the ppp format
### of spatstat:

data(fig1)

plot(fig1) #typical xyplot

fig1.ppp <- haz.ppp (fig1)

fig1.ppp

plot(fig1.ppp) # point pattern plot of spatstat

#####
### Summarize the joint pattern of points and marks at different scales
### with the normalized mark-weighted K-function (Penttinen, 2006).
### Compare this function in two consecutive cohorts of Helianthemum
### squamatum seedlings:

## Figure 3.10 of De la Cruz (2008):

data(seedlings1)

data(seedlings2)

s1km <- Kmm(seedlings1, r=1:100)

s2km <- Kmm(seedlings2, r=1:100)

plot(s1km, ylim=c(0.6,1.2), lwd=2, main="", xlab="r(cm)")

plot(s2km, lwd=2, lty=2, add=T )

abline(h=1, lwd=2, lty=3)

legend(x=60, y=1.2, legend=c("Hs_C1", "Hs_C2", "H0"),
lty=c(1, 2, 3), lwd=c(3, 2, 2), bty="n")

## A pointwise test of normalized Kmm == 1 for seedlings1:

s1km.test <- Kmm(seedlings1, r=1:100, nsim=99)

plot(s1km.test, xlab="r(cm)")
```

```
#####
### Explore the local relationships between marks and locations (e.g. size
### of one cohort of H. squamatum seedlings). Map the marked point pattern
### to a random field for visual inspection, with the normalized mark-sum
### measure (Penttinen, 2006).

data(seedlings1)

seed.m <- marksum(seedlings1, R=25)

plot(seed.m, what="marksum", sigma = 5) # raw mark-sum measure; sigma is bandwidth for smoothing

plot(seed.m, what="pointsum", sigma = 5) # point sum measure

plot(seed.m, what="normalized", dimyx=200, contour=TRUE, sigma = 5) # normalized mark-sum measure

# the same with added grid

plot(seed.m, what="normalized", dimyx=200, contour=TRUE, sigma = 5, grid=TRUE)

#####
### Test against the null model of "independent labelling",
### i.e. test association/repulsion between a "fixed" pattern (e.g. adult
### H. squamatum plants) and a "variable" pattern (e.g. of surviving and
### dead seedlings), with 2.5% and 97.5% envelopes of 999 random
### labellings (De la Cruz & al. 2008).

data(Helianthemum)

cosa <- K012(Helianthemum, fijs="adultHS", i="deadpl", j="survpl",
            r=seq(0,200,le=201), nsim=999, nrank=25, correction="isotropic")

plot(cosa$k01, sqrt(./pi)-r~r, col=c(3, 1, 3), lty=c(3, 1, 3), las=1,
      ylab=expression(L[12]), xlim=c(0, 200),
      main="adult HS vs. dead seedlings", legend=FALSE)

plot(cosa$k02, sqrt(./pi)-r~r, col=c(3, 1, 3), lty=c(3, 1, 3), las=1,
      ylab=expression(L[12]), xlim=c(0, 200),
      main="adult HS vs. surviving seedlings", legend=FALSE)

#####
### Test differences of agregation and segregation between two patterns,
### e.g. surviving and dying H. squamatum seedlings (De la Cruz & al. 2008).
```

```

data(Helianthemum)

cosa12 <- K1K2(Helianthemum, j="deadpl", i="survpl", r=seq(0,200,le=201),
  nsim=999, nrank=1, correction="isotropic")

plot(cosa12$k1k2, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main= "survival- death",ylab=expression(K[1]-K[2]), legend=FALSE)

plot(cosa12$k1k12, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main="segregation of surviving seedlings",ylab=expression(K[1]-K[12]), legend=FALSE)

plot(cosa12$k2k12, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main= "segregation of dying seedlings",ylab=expression(K[2]-K[12]), legend=FALSE)

#####
### Test 'univariate' and 'bivariate' point patterns
### against non-Poisson (in-)homogeneous models
### (De la Cruz and Escudero, submitted).

data(urkiola)

#####
## univariate example

# get univariate pp
I.ppp <- split.ppp(urkiola)$birch

# estimate inhomogeneous intensity function
I.lam <- predict (ppm(I.ppp, ~polynom(x,y,2)), type="trend", ngrid=200)

# Compute and plot envelopes to Kinhom, simulating from an Inhomogeneous
# Poisson Process:

I2.env <- envelope( I.ppp,Kinhom, lambda=I.lam, correction="trans",
  nsim=99, simulate=expression(rpoispp(I.lam)))
plot(I2.env, sqrt(.pi)-r~r, xlab="r (metres)", ylab= "L (r)", col=c(1,3,2,2),legend=FALSE)

# It seems that there is short scale clustering; let's fit an Inhomogeneous
# Poisson Cluster Process:

I.ki <- ipc.estK(mipp=I.ppp, lambda=I.lam, correction="trans")

# Compute and plot envelopes to Kinhom, simulating from the fitted IPCP:

Ipc.env <- Ki(I.ki, correction="trans", nsim=99, ngrid=200)

plot (Ipc.env, xlab="r (metres)", ylab= "L (r)")

#####
## bivariate example: test independence between birch and quercus in Urkiola

J.ppp <- split.ppp(urkiola)$oak

```

```

# We want to simulate oak from a homogeneous Poisson model:
J.ppm <- ppm(J.ppp, trend=~1, interaction=Poisson() )

IJ.env <- Kci (mod1=I.ki, mod2=J.ppm, nsim=99)

plot(IJ.env, type=12)

plot(IJ.env, type=21)

#####
### Simulate envelopes from the fitted values of a logistic model,
### as in Olano et al. (2009)

data(quercusvm)

# read fitted values from logistic model:

probquercus <-c(0.99955463, 0.96563477, 0.97577094, 0.97327199, 0.92437309,
0.84023396, 0.94926682, 0.89687281, 0.99377915, 0.74157478, 0.95491518,
0.72366493, 0.66771787, 0.77330148, 0.67569082, 0.9874892, 0.7918891,
0.73246803, 0.81614635, 0.66446411, 0.80077908, 0.98290508, 0.54641754,
0.53546689, 0.73273626, 0.7347013, 0.65559655, 0.89481468, 0.63946334,
0.62101995, 0.78996371, 0.93179582, 0.80160346, 0.82204428, 0.90050059,
0.83810669, 0.92153079, 0.47872421, 0.24697004, 0.50680935, 0.6297911,
0.46374812, 0.65672284, 0.87951682, 0.35818237, 0.50932432, 0.92293014,
0.48580241, 0.49692053, 0.52290553, 0.7317549, 0.32445982, 0.30300865,
0.73599359, 0.6206056, 0.85777043, 0.65758613, 0.50100406, 0.31340849,
0.22289286, 0.40002879, 0.29567678, 0.56917817, 0.56866864, 0.27718552,
0.4910667, 0.47394411, 0.40543788, 0.29571349, 0.30436276, 0.47859015,
0.31754526, 0.42131675, 0.37468782, 0.73271225, 0.26786274, 0.59506388,
0.54801851, 0.38983575, 0.64896835, 0.37282031, 0.67624306, 0.29429766,
0.29197755, 0.2247629, 0.40697843, 0.17022391, 0.26528042, 0.24373722,
0.26936163, 0.13052254, 0.19958585, 0.18659692, 0.36686678, 0.47263005,
0.39557661, 0.68048997, 0.74878567, 0.88352322, 0.93851375)

#####
## Envelopes for an homogeneous point pattern:

cosap <- Kinhom.log(A=quercusvm, lifemark="0", nsim=99, prob=probquercus)

plot(cosap)

#####
## Envelopes for an inhomogeneous point pattern:

```

```

## First, fit an inhomogeneous Poisson model to alive trees :

quercusalive <- unmark(quercusvm[quercusvm$marks == 0])

mod2 <- ppm(quercusalive, ~polynom(x,y,2))

## Now use mod2 to estimate lambda for K.inhom:

cosapm <- Kinhom.log(A=quercusvm, lifemark="0", prob=probquercus,
                    nsim=99, mod=mod2)

plot(cosapm)

#####
### Test segregation based on the counts in the contingency table
### of nearest neighbors in a multitype point pattern (Dixon, 2002)

data(swamp)

dixon2002(swamp,nsim=99)

#####
### Fit the Poisson cluster point process to a point pattern with
### the method of minimum contrast (Diggle 2003).

data(gypsophylous)

# Estimate K function ("Kobs").

gyps.env <- envelope(gypsophylous, Kest, correction="iso", nsim=99)

plot(gyps.env, sqrt(./pi)-r~r, ylab="L(r)", legend=FALSE)

# Fit Poisson Cluster Process. The limits of integration
# rmin and rmax are setup to 0 and 60, respectively.

cosa.pc <- pc.estK(Kobs = gyps.env$obs[gyps.env$r<=60],
                  r = gyps.env$r[gyps.env$r<=60])

# Add fitted Kclust function to the plot.

lines(gyps.env$r,sqrt(Kclust(gyps.env$r, cosa.pc$sigma2,cosa.pc$rho)/pi)-gyps.env$r,
      lty=2, lwd=3, col="purple")

# A kind of pointwise test of the gypsophylous pattern been a realisation
# of the fitted model, simulating with sim.poissonc and using function J (Jest).

```

```

gyps.env.sim <- envelope(gypsophylous, Jest, nsim=99,
                        simulate=expression(sim.poissonc(gypsophylous,
                  sigma=sqrt(cosa.pc$sigma2), rho=cosa.pc$rho)))

plot(gyps.env.sim, main="", legendpos="bottomleft")

#####
### Compute Syrjala's test for the difference between the spatial
### distributions of two populations, as in Rey-Benayas et al.
### (submitted)

data(syr1); data(syr2); data(syr3)

plot(syrjala.test(syr1, syr2, nsim=999))

plot(syrjala.test(syr1, syr3, nsim=999))

## End(Not run)

```

 figuras

Artificial point data.

Description

The three different point patterns in the figure 3.1 of De la Cruz (2008)

Usage

```

data(fig1)
data(fig2)
data(fig3)

```

Format

A data frame with 87 observations on the following 2 variables.

x x coordinate

y y coordinate

References

De la Cruz, M. 2008. Métodos para analizar datos puntuales. En: *Introducción al Análisis Espacial de Datos en Ecología y Ciencias Ambientales: Métodos y Aplicaciones* (eds. Maestre, F. T., Escudero, A. y Bonet, A.), pp 76-127. Asociación Española de Ecología Terrestre, Universidad Rey Juan Carlos y Caja de Ahorros del Mediterráneo, Madrid.

Examples

```
## Not run:
data(fig1)

data(fig2)

data(fig3)

# transform to ppp format of spatstat with function haz.ppp:

fig1.ppp <- haz.ppp(fig1)

fig2.ppp <- haz.ppp(fig2)

fig3.ppp <- haz.ppp(fig3)

#Analyses as in Fig.3.2 of De la Cruz (2008). First, compute function K:

cosa1 <- Kest(fig1.ppp)

# Plot different estimators.
# Fig. 3.2a:

par("mar"=par("mar")+c(0,1,0,0))

plot(cosa1, col=c(1,0,0,1), lwd=c(2,2,2,2), lty=c(1,1,1,2),
      main="")

# Fig. 3.2b:

plot(cosa1, sqrt(./pi)-r~r, col=c(1,0,0,1), lwd=c(2,2,2,2),
      lty=c(1,1,1,2), main="", ylab="L(r)")

# Fig. 3.2c:

plot(cosa1, .-(pi*r^2)~r, col=c(1,0,0,1), lwd=c(2,2,2,2),
      lty=c(1,1,1,2), main="", ylab=expression(K(r)-pi*r^2))

# Fig. 3.2d:

plot(cosa1,(./(pi*r^2))-1~r, col=c(1,0,0,1), lwd=c(2,2,2,2),
      lty=c(1,1,1,2), main="",
      ylab=expression((K(r)/pi*r^2)-1))

## Analyses as in fig. 3.7 of De la Cruz (2008).
```

```
## First, compute function K and pointwise envelopes:

cosa1.env <- envelope(fig1.ppp, Kest)

cosa2.env <- envelope(fig2.ppp, Kest)

cosa3.env <- envelope(fig3.ppp, Kest)

## Plot function L with pointwise envelopes:

plot(cosa1.env,sqrt(./pi)-r~r, lwd=c(1,1,2,2),
     lty=c(1,1,3,3), col=c(1,1,1,1), xlab="r",
     ylab="L(r)", main="", ylim=c(-2,2))

## Add simultaneous envelopes of Ripley (+-1.68 *sqrt(A)/N):

abline(h=1.68*sqrt(fig1.ppp$w$area)/fig1.ppp$n,
       lty=2, lwd=2)

abline(h=-1.68*sqrt(fig1.ppp$w$area)/fig1.ppp$n,
       lty=2, lwd=2)

## Plot function L with pointwise envelopes:

plot(cosa2.env,sqrt(./pi)-r~r, lwd=c(1,1,2,2),
     lty=c(1,1,3,3), col=c(1,1,1,1), xlab="r",
     ylab="L(r)", main="")

## Add simultaneous envelopes of Ripley:

abline(h=1.68*sqrt(fig2.ppp$w$area)/fig2.ppp$n,
       lty=2, lwd=2)

abline(h=-1.68*sqrt(fig2.ppp$w$area)/fig2.ppp$n,
       lty=2, lwd=2)

## Plot function L with pointwise envelopes:

plot(cosa3.env,sqrt(./pi)-r~r, lwd=c(1,1,2,2),
     lty=c(1,1,3,3), col=c(1,1,1,1), xlab="r",
     ylab="L(r)", main="")

## Add simultaneous envelopes of Ripley:

abline(h=1.68*sqrt(fig3.ppp$w$area)/fig3.ppp$n,
       lty=2, lwd=2)

abline(h=-1.68*sqrt(fig3.ppp$w$area)/fig3.ppp$n,
       lty=2, lwd=2)

## End(Not run)
```

getis

*Neighbourhood density function***Description**

Computes and plots the neighbourhood density function, a local version of the K -function defined by Getis and Franklin (1987).

Usage

```
getis(mippp, nx = 30, ny = 30, R = 10)

## S3 method for class 'ecspa.getis'
plot(x, type="k", interp=100, color=tim.colors(64),
      contour=TRUE, points=TRUE,...)
```

Arguments

mippp	A point pattern. An object with the ppp format of spatstat.
nx	Grid dimensions (for estimation) in the x-side.
ny	Grid dimensions (for estimation) in the y-side.
R	Radius. The distance argument r at which the function K should be computed.
x	Result of applying <code>getis</code> to a point pattern.
type	Type of local statistics to be plotted. One of k (local- K), l (local- L), n (local- n) or d (deviations from CSR).
interp	Number of points in the side of the grid of points to interpolate the results.
color	A list of colors such as that generated by rainbow , heat.colors , topo.colors , terrain.colors or similar functions.
contour	Logical; if TRUE, add a contour to current plot.
points	Logical; if TRUE, add the point pattern to current plot.
...	Additional graphical parameters passed to <code>link{plot}</code> .

Details

Getis and Franklin (1987) proposed the neighbourhood density function, a local version of Ripley's L -function. Given a spatial point pattern X , the neighbourhood density function associated with the i th point in X is computed by

$$L[i](r) = \sqrt{(a/((n-1) * pi)) * \sum[j] e[i,j]}$$

where the sum is over all points $j \neq i$ that lie within a distance r of the i th point, a is the area of the observation window, n is the number of points in X , and $e[i,j]$ is the isotropic edge correction term (as described in [Kest](#)). The value of $L[i](r)$ can also be interpreted as one of the summands that contributes to the global estimate of the L -function.

The command `getis` actually computes the local K -function using `Kcross`. As the main objective of `getis` is to map the local density function, as suggested by Gestis and Franklin (1987: 476) a grid of points (whose density is controlled by `nx` and `ny`), is used to accurately estimate the functions in empty or sparse areas. The S3 method `plot.ecespa.getis` plots the spatial distribution of the local K or L function or other related local statistics, such as $n[i](r)$, the number of neighbor points [$=\lambda * K[i](r)$] or the deviations from the expected value of local L under CSR [$= L[i](r) - r$]. It uses the function `interp` in `akima` package to interpolate the results.

Value

`getis` gives an object of class `ecespa.getis`, basically a list with the following elements:

<code>x</code>	x coordinates of pattern points (ahead) and grid points.
<code>y</code>	y coordinates of pattern points (ahead) and grid points.
<code>klocal</code>	Estimate of local $K[i](r)$ at the point pattern points.
<code>klocalgrid</code>	Estimate of local $K[i](r)$ at the grid points.
<code>R</code>	Distance r at which the estimation is made.
<code>nx</code>	Density of the estimating grid in the x-side.
<code>ny</code>	Density of the estimating grid in the y-side.
<code>dataname</code>	Name of the ppp object analysed.
<code>ppp</code>	Original point pattern.

`plot.ecespa.getis` plots an interpolated map of the selected local statistics

Note

As `plot.ecespa.getis` interpolates over rectangular grid of points, it is not appropriate to map irregular windows. In those cases, `smooth.ppp` of `spatstat` can be used to interpolate the local statistics (see examples).

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

Gestis, A. and Franklin, J. 1987. Second-order neighbourhood analysis of mapped point patterns. *Ecology* **68**: 473-477

See Also

`localK`, a different approach in `spatstat`.

Examples

```

## Not run:
## Compare with fig. 5b of Getis & Franklin (1987: 476):

data(ponderosa)

ponderosa12 <- getis(ponderosa, nx = 30, ny = 30, R = 12)

plot(ponderosa12, type = "l")

## Plot the same, using smooth.ppp in spatstat

ponderosa.12 <- setmarks(ponderosa, ponderosa12$klocal)

Z <- smooth.ppp(ponderosa.12, sigma=5, dimyx=256)

plot(Z, col=topo.colors(128), main="smoothed neighbourhood density")

contour(Z, add=TRUE)

points(ponderosa, pch=16, cex=0.5)

## Example with irregular window:

data(letterR)

X <- rpoispp(50, win=letterR)

X.g <- getis(X, R=0.2)

X2 <- setmarks(X, X.g$klocal)

Z <- smooth.ppp(X2, sigma=0.05, dimxy=256)

plot(Z, col=topo.colors(128), main="smoothed neighbourhood density")

contour(Z, add=TRUE)

points(X, pch=16, cex=0.5)

## End(Not run)

```

gypsophylous

Spatial point pattern of a plant community

Description

Locations of plants in a gypsophylous plant community in Central Spain. These are part of the data collected by Romao (2003) that have been analyzed several times (Escudero *et al.* 2005, De la Cruz

2006). The coordinates of the plans are given in cm.

Usage

```
data(gypsophylous)
```

Format

An object of class "ppp" of spatstat representing the point pattern of plants locations. See [ppp.object](#) for details of the format.

Source

Romao, R.L. 2003. *Estructura espacial de comunidades de gipsófitos: interacciones bióticas y constricciones abióticas*. Tesis Doctoral. Universidad Politécnica de Madrid.

References

De la Cruz, M. 2006. Introducción al análisis de datos mapeados o algunas de las (muchas) cosas que puedo hacer si tengo coordenadas. *Ecosistemas*. 2006/3. <http://www.revistaecosistemas.net/pdfs/448.pdf>.

Escudero, A., Romao, R.L., De la Cruz, M. & Maestre, F. 2005. Spatial pattern and neighbour effects on *Helianthemum squamatum* seedlings in a Mediterranean gypsum community. *J. Veg. Sci.*, **16**: 383-390.

Examples

```
## Not run:  
  
data(gypsophylous)  
  
plot(gypsophylous)  
  
## End(Not run)
```

haz.ppp

Easily convert xy data to ppp format

Description

ppp maker for the impatient layman

Usage

```
haz.ppp(W)
```

Arguments

W a data frame or matrix with two or three columns (coordinate x, coordinate y, and mark of the point)

Details

This naive function easily transform your xy data to the format required by spatstat (version <2.0). It establishes the window of observation as the rectangle defined by the xy range. It assumes that the first two columns are coordinates x and y, and the third (if any) gives the marks of the points.

Value

A point pattern with the format of spatstat v. < 2.0

Author(s)

Marcelino de la Cruz

See Also

[ppp](#), [as.ppp](#)

Examples

```
## Not run:

data(fig1)

plot(fig1) #typical xyplot

fig1.ppp <- haz.ppp (fig1)

fig1.ppp

plot(fig1.ppp) # point pattern plot of spatstat

## End(Not run)
```

Helianthemum

Spatial point pattern of Helianthemum squamatum adult plants and seedlings

Description

Locations of *H. squamatum* adult plants and seedlings in a 6 m x 7 m plot over gypsum soil in Chinchón (near Madrid, Spain). These are part of the data collected by Romao (2003) that have been analyzed several times (Escudero *et al.* 2005, De la Cruz 2006, De la Cruz *et al.* *in press.*). The coordinates of the plans are given in cm.

Usage

```
data(Helianthemum)
```

Format

An object of class "ppp" of spatstat representing the point pattern of plants locations marked by their type. See [ppp.object](#) for details of the format. The dataset has 866 points with the following levels:

adultHS adult *H. squamatum* plants

deadp dying *H. squamatum* seedlings

survpl surviving *H. squamatum* seedlings

Source

Romao, R.L. 2003. *Estructura espacial de comunidades de gipsófitos: interacciones bióticas y constricciones abióticas*. Tesis Doctoral. Universidad Politécnica de Madrid.

References

De la Cruz, M. 2006. Introducción al análisis de datos mapeados o algunas de las (muchas) cosas que puedo hacer si tengo coordenadas. *Ecosistemas* 15 (3): 19-39. <http://www.revistaecosistemas.net/pdfs/448.pdf>.

De la Cruz, M., Romao, R.L., Escudero, A. and Maestre, F.T. 2008. Where do seedlings go? A spatio-temporal analysis of early mortality in a semiarid specialist. *Ecography*, 31 DOI: 10.1111/j.2008.0906-7590.05299 .

Escudero, A., Romao, R.L., De la Cruz, M. & Maestre, F. 2005. Spatial pattern and neighbour effects on *Helianthemum squamatum* seedlings in a Mediterranean gypsum community. *J. Veg. Sci.*, **16**: 383-390.

Examples

```
data(Helianthemum)
plot(Helianthemum)
```

ipc.estK

Fit the (In)homogeneous Poisson Cluster Point Process by Minimum Contrast

Description

Fits the (In)homogeneous Poisson Cluster point process to a point pattern dataset by the Method of Minimum Contrast.

Usage

```
ipc.estK(mipp, lambda = NULL, correction = "iso", r = NULL, sigma2 = NULL,
         rho = NULL, q = 1/4, p = 2)
```

```
## S3 method for class 'ecspa.minconfit'
plot(x, type="L", add=FALSE, xlim=NULL, ylim=NULL, lwd=c(1,1),
     lty=c(1,2), col=c(1,2), main=NULL, ...)
```

Arguments

mipp	Point pattern to which the (I)PCP will be fitted. A point pattern with the <code>ppp</code> format of <code>spatstat</code> .
lambda	Optional. Values of the estimated intensity function as a pixel image (object of class <code>"im"</code> of <code>spatstat</code>) giving the intensity values at all locations of <code>mipp</code> .
correction	A character item selecting any of the options <code>"border"</code> , <code>"bord.modif"</code> , <code>"isotropic"</code> , <code>"Ripley"</code> or <code>"translate"</code> . It specifies the edge correction(s) to be applied in the computation of the $K(r)$ function.
r	Numeric vector. The values of the argument r at which the $K(r)$ functions should be evaluated.
sigma2	Optional. Starting value for the parameter σ^2 of the Poisson Cluster process.
rho	Optional. Starting value for the parameter ρ of the Poisson Cluster process.
q	q exponent of the contrast criterion (see <code>mincontrast</code>).
p	p exponent of the contrast criterion (see <code>mincontrast</code>).
x	An object of class <code>'ecspa.minconfit'</code> , resulting of applying <code>ipc.estK</code> to fit a Poisson Cluster Process.
type	Type of function to be plotted. If <code>type="L"</code> , function $L(r) [= \sqrt{K(r)/\pi} - r]$ is plotted. Otherwise, function $K(r)$ is plotted.
add	Logical. Should the curves be added to another plot?
xlim	Vector setting the limits of the x-axis.
ylim	Vector setting the limits of the y-axis.
lwd	Vector (length=2) setting the line width for plotting the two functions.
lty	Vector (length=2) setting the line type for plotting the two functions.
col	Vector (length=2) setting the line color for plotting the two functions.
main	Optional. Text to appear as a title of the plot.
...	Additional graphical parameters passed to <code>link{plot}</code> .

Details

The algorithm fits the (inhomogeneous) Poisson cluster point process (PCP) to a point pattern, by finding the parameters of the (inhomogeneous) Poisson cluster model which give the closest match between the theoretical K function of the Poisson cluster process and the observed K function. For

a concise explanation of the PCP see [pc.estK](#). For a more detailed explanation of the Method of Minimum Contrast, see [mincontrast](#) in [spatstat](#) or Diggle (2003: 86).

The inhomogeneous PCP can be thought of as a thinned process of an homogeneous PCP, where the spatially varying thinning probability $f(s)$ is related to the spatially varying intensity function $\lambda(s)$ as $f(s) = \lambda(s)/\max\lambda(s)$ (Waagepetersen, 2007). As the inhomogeneous K function for the IPCP coincides with the (homogeneous) K function for the corresponding homogeneous PCP, the parameters of the underlying homogeneous PCP can be estimated as those that give the closest match between the theoretical K function for the homogeneous PCP and the empirical inhomogeneous K function for the observed IPCP.

This Poisson cluster process can be simulated with [rIPCP](#).

Value

`ipc.estK` gives an object of class `'ecespa.minconfit'`, basically a list with the following components:

<code>sigma2</code>	Parameter σ^2 .
<code>rho</code>	Parameter ρ .
<code>d.theta</code>	Minimized value of the contrast criterion $D(\theta)$.
<code>Kobs</code>	Values of the observed K-function.
<code>Kfit</code>	Values of the fitted K-function.
<code>r</code>	Sequence of distances at which <code>Kobs</code> and <code>Kfit</code> have been estimated.
<code>data</code>	Original point pattern.
<code>lambda</code>	Original intensity function.
<code>dataname</code>	Name of the original point pattern.
<code>lambdaname</code>	Name of the original intensity function image.
<code>q</code>	q exponent of the contrast criterion.
<code>p</code>	p exponent of the contrast criterion.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>, inspired by some code of Philip M. Dixon <http://www.public.iastate.edu/~pdixon/>

References

- Diggle, P. J. 2003. *Statistical analysis of spatial point patterns*. Arnold, London.
- Waagepetersen, R. P. 2007. An estimating function approach to inference for inhomogeneous Neymann-Scott processes. *Biometrics* 63: 252-258.

See Also

some functions in [spatstat](#): [mincontrast](#) for a more general implementation of the method of minimum contrast; [matclust.estK](#) and [lgcp.estK](#) fit other appropriate processes for clustered patterns.

Examples

```

## Not run:

#####
## Same example as in pc.estK

data(gypsophylous)

## Estimate K function ("Kobs").

gyps.env <- envelope(gypsophylous, Kest, correction="iso", nsim=99)

plot(gyps.env, sqrt(./pi)-r~r,, legend=FALSE)

## Fit Poisson Cluster Process. The limits of integration
## rmin and rmax are setup to 0 and 60, respectively.

cosa.pc2 <- ipc.estK(gypsophylous, r = gyps.env$r[gyps.env$r<=60])

## Add fitted Kclust function to the plot.

plot(cosa.pc2, add=T, lwd=c(3,3))

## A kind of pointwise test of the gypsophylous pattern been a realisation
## of the fitted model, simulating with rIPCP and using function J (Jest).

gyps.env.sim2 <- envelope(gypsophylous, Jest, nsim=99,
                        simulate=expression(rIPCP(cosa.pc2)))

plot(gyps.env.sim2, main="", legendpos="bottomleft")

#####
## Inhomogeneous example

data(urkiola)

#####
## univariate case

# get univariate pp
I.ppp <- split.ppp(urkiola)$birch

# estimate inhomogeneous intensity function
I.lam <- predict (ppm(I.ppp, ~polynom(x,y,2)), type="trend", ngrid=200)

# Compute and plot envelopes to Kinhom, simulating from an Inhomogeneous
# Poisson Process:

```

```

I2.env <- envelope( I.ppp,Kinhom, lambda=I.lam, correction="trans",
                    nsim=99, simulate=expression(rpoispp(I.lam)))
plot(I2.env, sqrt(./pi)-r~r, xlab="r (metres)", ylab= "L (r)", col=c(1,3,2,2),legend=FALSE)

# It seems that there is short scale clustering; let's fit an Inhomogeneous
# Poisson Cluster Process:

I.ki <- ipc.estK(mipp=I.ppp, lambda=I.lam, correction="trans")

# Compute and plot envelopes to Kinhom, simulating from the fitted IPCP:

Ipc.env <- Ki(I.ki, correction="trans", nsim=99, ngrid=200)

plot (Ipc.env, xlab="r (metres)", ylab= "L (r)")

#####
## bivariate case: test independence between birch and quercus in Urkiola

J.ppp <- split.ppp(urkiola)$oak

# We want to simulate oak from a homogeneous Poisson model:
J.ppm <- ppm(J.ppp, trend=~1, interaction=Poisson() )

IJ.env <- Kci (mod1=I.ki, mod2=J.ppm, nsim=99)

plot(IJ.env, type=12)

plot(IJ.env, type=21)

## End(Not run)

```

K012

Tests against 'independent labelling'

Description

Given a "fixed" point pattern and some process that assign labels (I,J) to another "variable" point pattern, K012 estimates the combined bivariate K function between the fixed pattern and every type of the variable pattern, and test that they are independent (i.e. that the labels are randomly assigned, irrespectively of the fixed pattern).

Usage

```

K012(X, fijo, i, j, nsim = 99, nrank = 1, r = NULL,
     correction = "isotropic")

```

Arguments

<code>X</code>	Multitype marked point pattern. An object with the <code>ppp</code> format of <code>spatstat</code> .
<code>f i j o</code>	Number or character string identifying the mark value of the "fixed" pattern in <code>X</code>
<code>i</code>	Number or character string identifying the mark value of the I pattern in <code>X</code>
<code>j</code>	Number or character string identifying the mark value of the J pattern in <code>X</code>
<code>nsim</code>	Number of simulated point patterns to be generated when computing the envelopes.
<code>nrank</code>	Integer. Rank of the envelope value amongst the <code>nsim</code> simulated values. A rank of 1 means that the minimum and maximum simulated values will be used.
<code>r</code>	Numeric vector. The values of the argument <code>r</code> at which the K functions should be evaluated.
<code>correction</code>	A character item selecting any of the options "border", "bord.modif", "isotropic", "Ripley" or "translate". It specifies the edge correction(s) to be applied.

Details

This test was developed to answer some questions about the spatial pattern of survival and mortality of seedlings and its relationships with adult plants in a plant community (De la Cruz *et al. In press*). In order to evaluate the spatial structures of seedlings fates (survive or die), the null hypothesis of random labelling (Cuzick & Edwards 1990, Dixon 2002) would be the appropriate one. This kind of pattern is the result of two hierarchical processes: a first one that generates the pattern of points (seedlings) and other that assign "labels" (i.e. "die", "survive") to the points. On the other hand, to analyze the relationships between the spatial pattern of emerging seedlings and the pattern of adult plants (two patterns that have been generated independently), independence would be the appropriate null hypothesis (Goreaud & Pellissier 2003). However, testing the relationship between the pattern of seedling fates and the pattern of adult plants does not completely fit any of the mentioned hypotheses because, although the pattern of adult plants and the pattern of, e.g., dead seedlings are generated independently, their relationship is conditioned by the dependence of the fate "dead" on the locations of emerging seedlings. This implies that one can not apply the usual technique of toroidal shifting one pattern over the other to test the independence hypothesis. Instead one must permute the label of the focal fate (i.e. survive, die) over the global pattern of seedlings points, keeping the locations and labels of adults fixed. This is the method that K012 uses to build the envelopes. The bivariate K functions are computed with the Lotwick's and Silverman's (1982) combined estimator (`Kmulti.ls`).

Value

A list with two elements.

<code>k01</code>	Bivariate K function of the fixed point pattern and the I variable type, with simulation envelopes
<code>k02</code>	Bivariate K function of the fixed point pattern and the J variable type, with simulation envelopes

Each of the above elements is a `fv.object`, essentially a `data.frame` with the following items:

<code>r</code>	the values of the argument <code>r</code> at which the functions have been estimated
<code>hi</code>	upper envelope of simulations
<code>lo</code>	lower envelope of simulations

together with the observed corrected estimate of the combined bivariate K function (`iso`, `trans`, `border`, etc).

Author(s)

Marcelino de la Cruz <marcelino.delacruz@upm.es>

References

- Cuzick, J. and Edwards, R. 1990. Spatial clustering for inhomogeneous populations (with discussion). *Journal of the Royal Statistical Society B* **52**: 73-104.
- De la Cruz, M. 2006. Introducción al análisis de datos mapeados o algunas de las (muchas) cosas que puedo hacer si tengo coordenadas. *Ecosistemas* 15 (3): 19-39. <http://www.revistaecosistemas.net/pdfs/448.pdf>.
- De la Cruz, M., Romao, R.L., Escudero, A. & Maestre, F.T. *In press*. Where do seedlings go? A spatio-temporal analysis of early mortality in a semiarid specialist. *Ecography*.
- Dixon, P. M. 2002. Ripley's K function. In *The encyclopedia of environmetrics* (eds. El-Shaarawi, A.H. & Piergorsch, W.W.), pp. 1976-1803. John Wiley & Sons Ltd, NY.
- Goreaud, F. and Pelissier, R. 2003. Avoiding misinterpretation of biotic interactions with the intertype K12-function: population independence vs. random labelling hypotheses. *J. Veg. Sci.* **14**: 681-692.
- Lotwick, H. W. & Silverman, B. W. 1982. Methods for analysing spatial processes of several types of points. *Journal of the Royal Statistical Society B* **44**: 406-413.

See Also

[dixon2002](#) for another segregation test, based in the contingency table of counts of nearest neighbors in a marked point pattern.

Examples

```
## Not run:

data(Helianthemum)

## Test asociation/repulsion between the fixed pattern of adult
## H. squamatum plants and the "variable" pattern of surviving and
## dead seedlings, with 2.5% and 97.5% envelopes of 999 random
## labellings.

cosa <- K012(Helianthemum, fijs="adultHS", i="deadpl", j="survpl",
```

```

r=seq(0,200,le=201), nsim=999, nrank=25, correction="isotropic")

plot(cosa$k01, sqrt./pi)-r~r, col=c(3, 1, 3), lty=c(3, 1, 3), las=1,
      ylab=expression(L[12]), xlim=c(0, 200),
      main="adult HS vs. dead seedlings")

plot(cosa$k02, sqrt./pi)-r~r, col=c(3, 1, 3), lty=c(3, 1, 3), las=1,
      ylab=expression(L[12]), xlim=c(0, 200),
      main="adult HS vs. surviving seedlings")

## End(Not run)

```

K1K2

*Differences between univariate and bivariate K-functions***Description**

Given two point patterns I and J, K1K2 computes the differences between both univariate K -functions (i.e. $\hat{K}_i(r) - \hat{K}_j(r)$) as well as the differences between the univariate and the bivariate K -function (i.e. $\hat{K}_i(r) - \hat{K}_{ij}(r)$ and $\hat{K}_j(r) - \hat{K}_{ij}(r)$). It also computes simulation envelopes to test that the observed differences are within the range expected assuming the random labelling hypothesis.

Usage

```

K1K2(X, i, j, nsim = 99, nrank = 1, r = NULL,
      correction = "isotropic")

```

Arguments

X	Multitype marked point pattern. An object with the ppp format of spatstat .
i	Number or character string identifying the mark value of the I pattern in X.
j	Number or character string identifying the mark value of the J pattern in X.
nsim	Number of simulated point patterns to be generated when computing the envelopes.
nrank	Integer. Rank of the envelope value amongst the nsim simulated values. A rank of 1 means that the minimum and maximum simulated values will be used.
r	Numeric vector. The values of the argument r at which the $K(r)$ functions should be evaluated.
correction	A character item selecting any of the options "border", "bord.modif", "isotropic", "Ripley" or "translate". It specifies the edge correction(s) to be applied.

Details

The indiscriminate use of the raw bivariate functions (mainly the K or the L -bivariate functions) in ecological studies for testing the association/ repulsion between different point patterns waste some of the most interesting properties of the K -function. One of them is that under the random labelling hypothesis every individual pattern would be a random thinning of the corresponding bivariate pattern and therefore $K_i(r) = K_j(r) = K_{ij}(r) = \pi_i * r^2$ (Diggle 2003). Dixon (2002) suggested that some differences of these functions could provide interesting ecological information. For example, $K_i(r) - K_j(r)$, has an expected value of 0 for all r distances under random labelling and evaluates the differences in the intensity of aggregation of the two point patterns (e.g., in the example bellow, the pattern of drought and herbivory deaths). Other relevant function is $K_i(r) - K_{ij}(r)$ and the complementary $K_j(r) - K_{ij}(r)$ which evaluate the degree of segregation of every individual pattern, i.e. if every point of the pattern is more -or less- surrounded by other points of the same type than would be expected under the random labelling hypothesis. K1K2 uses $K^*_{ij}(r)$, the combined estimator of Lotwick and Silverman (a weighed mean of $K_{ij}(r)$ and $K_{ji}(r)$) as computed by `Kmulti.ls`.

Value

A list with three elements.

k1k2	Difference between $K_i(r)$ and $K_j(r)$, with simulation envelopes.
k1k12	Difference between $K_i(r)$ and $K_{ij}(r)$, with simulation envelopes.
k2k12	Difference between $K_j(r)$ and $K_{ij}(r)$, with simulation envelopes.

Each of the above elements is a `fv.object`, essentially a `data.frame` with the following items:

r	The values of the argument r at which the functions have been estimated.
hi	Upper envelope of simulations.
lo	Lower envelope of simulations.

together with the observed difference in each case (respectively K1-K2, K1-K12 and K2-K12).

Author(s)

Marcelino de la Cruz <marcelino.delacruz@upm.es>

References

- De la Cruz, M. 2006. Introducción al análisis de datos mapeados o algunas de las (muchas) cosas que puedo hacer si tengo coordenadas. *Ecosistemas* 15 (3): 19-39. <http://www.revistaecosistemas.net/pdfs/448.pdf>.
- De la Cruz, M., Romao, R.L., Escudero, A. and Maestre, F.T. 2008. Where do seedlings go? A spatio-temporal analysis of early mortality in a semiarid specialist. *Ecography*,31 DOI: 10.1111/j.2008.0906-7590.05299 .
- Diggle, P.J. 2003. *Statistical analysis of spatial point patterns*. Arnold, London.

Dixon, P. M. 2002. Ripley's K function. In *The encyclopedia of environmetrics* (eds. El-Shaarawi, A.H. & Piergorsch, W.W.), pp. 1976-1803. John Wiley & Sons Ltd, NY.

Examples

```
## Not run:
data(Helianthemum)

cosa12 <- K1K2(Helianthemum, j="deadpl", i="survpl", r=seq(0,200,le=201),
  nsim=999, nrank=1, correction="isotropic")

plot(cosa12$k1k2, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main= "survival- death")

plot(cosa12$k1k12, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main="segregation of surviving seedlings")

plot(cosa12$k2k12, lty=c(2, 1, 2), col=c(2, 1, 2), xlim=c(0, 200),
  main= "segregation of dying seedlings")

## End(Not run)
```

Kci

Test against non-Poisson (in-)homogeneous models

Description

Functions to automate testing of 'univariate' and 'bivariate' point pattern hypothesis against non-Poisson (in-)homogeneous models.

Usage

```
Kci(mod1, mod2, correction="trans", nsim=99, ngrid=200, nrep=1e+05,
  r=NULL, simu="both", spctype=1)

Ki(mod1, correction="trans", nsim=99, ngrid=200, nrep=1e+05, r=NULL,
  spctype=1)

## S3 plot method for objects of class 'ecspa.kci':
## S3 method for class 'ecspa.kci'
plot(x, type=1, q=0.025, kmean=TRUE, add=FALSE, main=NULL,
  xlab=NULL, ylab=NULL, xlim=NULL, ylim=NULL,
  lty=c(1,2,3), col=c(1,2,3), lwd=c(1,1,1), ...)
```

Arguments

mod1	Fitted model. An object of class <code>ppm</code> or <code>ecespera.minconfit</code> .
mod2	Fitted model. An object of class <code>ppm</code> or <code>ecespera.minconfit</code> .
correction	A character item selecting any of the options "border", "bord.modif", or "translate". It specifies the edge correction to be applied when computing K-functions.
nsim	Number of simulated point patterns to be generated when computing the envelopes.
ngrid	Dimensions (ngrid by ngrid) of a rectangular grid of locations where <code>predict.ppm</code> would evaluate the spatial trend of the fitted models.
nrep	Total number of steps (proposals) of Metropolis-Hastings algorithm that should be run by <code>rmh</code> to simulate models of class <code>ppm</code> .
r	Numeric vector. The values of the argument r at which the $K(r)$ functions should be evaluated.
simu	A character item indicating if both models will be simulated for the computation of the envelopes (<code>simu = "both"</code>) or just the second model (<code>simu != "both"</code>).
spctype	Type of 'pre-thinning' method employed by <code>rIPCP</code> in the simulation of <code>ecespera.minconfit</code> models.
x	An object of class 'ecespera.kci'. The result of running <code>Kci</code> or <code>Ki</code> .
type	What to plot. One of 1 ($K1$), 2 ($K2$), 12 ($K12$), 21 ($K21$), 112 ($K1-K12$) or 221 ($K2-K21$).
q	Quantile for selecting the simulation envelopes.
kmean	Logical. Should the mean of the simulated envelopes be plotted?
add	Logical. Should the <code>kci.plot</code> be added to a previous plot?
maine	Title to add to the plot.
xlabe	Text or expression to label the x-axis.
ylabe	Text or expression to label the y-axis.
xlime	Max and min coordinates for the x-axis.
ylime	Max and min coordinates for the y-axis.
lty	Vector with the line type for the estimated K_{mm} function, the simulated envelopes and the mean of the simulated envelopes.
col	Vector with the color for the estimated K-function, the simulated envelopes and the mean of the simulated envelopes.
lwd	Vector with the line width for the estimated K-function, the simulated envelopes and the mean of the simulated envelopes.
...	Additional graphical parameters passed to plot.

Details

These functions are designed to automate the testing of 'univariate' and(/or) 'bivariate' point pattern hypotheses (based on K-functions) against non-Poisson (in-)homogeneous models. These non-Poisson (in-)homogeneous models should have been fitted with pseudolikelihood tools (`spatstat ppm` function) or with minimum contrast methods (`ecespera.minconfit`).

Function `Ki` is designed to test 'univariate' hypotheses. It will compute the (in-)homogeneous K-function (using `spatstat` `Kinhom` function) of the point pattern to which the `ppm` or `ecespera.minconfit` model has been fitted and will compute 'envelopes' simulating from the fitted model. The computed envelopes can be considered as a pointwise test of the point pattern been a realisation of the fitted model.

Function `Kci` is designed to test 'bivariate' hypotheses. It will compute the (in-)homogeneous cross K-function (using `spatstat` `Kcross.inhom` function) and will compute envelopes simulating from the fitted models. As, when dealing with inhomogeneous patterns $K_{12} \neq K_{21}$, `Kci` will compute both functions. If `simu = "both"` (default option), `Kci` will simulate from `mod2` to test K_{12} and from `mod1` to test K_{21} . If `simu != "both"`, only `mod2` will be simulated. This option may be useful when only K_{12} is of interest. Function `Kci` will also compute univariate (in-) homogeneous K-functions and envelopes for each individual point pattern.

The `S3` `plot` method will plot the selected K-function and envelopes (actually, it will plot the most usual L-function = $\sqrt{K(r)/\pi} - r$). The appropriate K function can be selected with the argument `type`. If `type = 1` (default option), it will plot the univariate K function (of the analyzed model in `Ki` or of the first model [`mod1`] in `Kci`). If `type = 2`, it will plot the univariate K function of the second model (`mod2` in `Kci`). When `type = 12` or `type = 21`, it will plot respectively K_{12} or K_{21} . Options `type = 112` or `type = 221` will graph a kind of 'segregation test' (see `K1K2`), and will represent the differences $K_1 - K_{12}$, $K_2 - K_{21}$ and their envelopes.

Value

Both `Kci` and `Ki` return an object of class `'ecespera.kci'`, basically a list with the following items:

<code>r</code>	Numeric vector. The values of the argument r at which the $K(r)$ functions have been evaluated.
<code>kia</code>	Numeric vector. Observed (in-)homogeneous K function for <code>mod1</code> point pattern.
<code>kib</code>	Numeric vector. Observed (in-)homogeneous K function for <code>mod2</code> point pattern.
<code>kci.ab.o</code>	Numeric vector. Observed (in-) homogeneous cross K-function (K_{12}) for <code>mod1</code> and <code>mod2</code> point patterns.
<code>kci.ba.o</code>	Numeric vector. Observed (in-) homogeneous cross K-function (K_{21}) for <code>mod2</code> and <code>mod1</code> point patterns.
<code>kci.ab.s</code>	Matrix of simulated (in-) homogeneous cross K-function (K_{12}) for <code>mod1</code> and <code>mod2</code> point patterns.
<code>kci.ba.s</code>	Matrix of simulated (in-) homogeneous cross K-function (K_{21}) for <code>mod2</code> and <code>mod1</code> point patterns.
<code>kib.s</code>	Matrix of simulated (in-)homogeneous K function for <code>mod2</code> point pattern.
<code>kia.s</code>	Matrix of simulated (in-)homogeneous K function for <code>mod1</code> point pattern.
<code>datanamea</code>	Name of <code>mod1</code> point pattern.
<code>datanameb</code>	Name of <code>mod2</code> point pattern.
<code>modnamea</code>	Name of model <code>mod1</code> .
<code>modnameb</code>	Name of model <code>mod2</code> .
<code>type</code>	Type of analysis. "Kci" or "Ki".

Warning

As this implementation involves the use of images as the means of evaluation of the (inhomogeneous) spatial trend, and a mask based on those images will be used as the point pattern window, the "Ripley's" or "isotropic" edge correction can not be employed.

It is usual that during the simulation process some warnings are produced. They are related to some simulated points being rejected as lying outside the specified window.

Note

Even when one of the two point patterns is assumed to be homogeneous Poisson (and, apparently not worth of fitting any model), an homogeneous Poisson model can be easily fitted and passed to Kci with ppm. See the examples.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

De la Cruz, M. and Escudero, A. 2008. Null models and tools for multivariate heterogeneous point patterns. *Submitted*.

De Soto, L., Olano, J.M., Rozas, V. and De la Cruz, M. 2009. Release of *Juniperus thurifera* woodlands from herbivore-mediated arrested succession in Spain. *Applied Vegetation Science*. DOI: 10.1111/j.1654-109X.2009.01045.x .

Examples

```
## Not run:

require(spatstat)
data(urkiola)

#####
## univariate case

# get univariate pp
I.ppp <- split.ppp(urkiola)$birch

# estimate inhomogeneous intensity function
I.lam <- predict (ppm(I.ppp, ~polynom(x,y,2)), type="trend", ngrid=200)

# Compute and plot envelopes to Kinhom, simulating from an Inhomogeneous
# Poisson Process:

I2.env <- envelope( I.ppp,Kinhom, lambda=I.lam, correction="trans",
                    nsim=99, simulate=expression(rpoispp(I.lam)))
plot(I2.env, sqrt(./pi)-r~r, xlab="r (metres)", ylab="L (r)", col=c(1,3,2,2),legend=FALSE)

# It seems that there is short scale clustering; let's fit an Inhomogeneous
# Poisson Cluster Process:
```

```

I.ki <- ipc.estK(mipp=I.ppp, lambda=I.lam, correction="trans")

# Compute and plot envelopes to Kinhom, simulating from the fitted IPCP:

Ipc.env <- Ki(I.ki, correction="trans", nsim=99, ngrid=200)

plot(Ipc.env, xlab="r (metres)", ylab= "L (r)")

#####
## bivariate case: test independence between birch and quercus in Urkiola

J.ppp <- split.ppp(urkiola)$oak

# We want to simulate oak from a homogeneous Poisson model:
J.ppm <- ppm(J.ppp, trend=~1, interaction=Poisson() )

IJ.env <- Kci (mod1=I.ki, mod2=J.ppm, nsim=99)

plot(IJ.env, type=12)

plot(IJ.env, type=21)

## End(Not run)

```

Kinhom.log

Simulation envelopes from the fitted values of a logistic model

Description

Computes simulation envelopes for (in-)homogeneous K-function simulating from a vector of probabilities.

Usage

```
Kinhom.log (A, lambda=NULL, mod=NULL, lifemark="0", prob=NULL,
r=NULL, nsim=99, correction="trans", ngrid=200)
```

Arguments

A	A marked point pattern with the <code>ppp</code> format of <code>spatstat</code> .
lambda	Optional. Values of the estimated intensity function as a pixel image (object of class <code>"im"</code> of <code>spatstat</code>) giving the intensity values at all locations of A.
mod	A fitted model. An object of class <code>ppm</code> .
lifemark	Level of the marks of A which represents the "live" or "succes" cases.

prob	Numeric vector, with length equal to the number of points of A, representing the fitted values of a logistic model fitted to A marks.
r	Numeric vector. The values of the argument r at which the $K(r)$ functions should be evaluated.
nsim	Number of simulated point patterns to be generated when computing the envelopes.
correction	A character item selecting any of the options "border", "bord.modif", or "translate". It specifies the edge correction to be applied when computing K-functions.
ngrid	Dimensions (ngrid by ngrid) of a rectangular grid of locations where <code>predict.ppm</code> would evaluate the spatial trend of the fitted models.

Details

This function is a wrapper to compute the critical envelopes for Monte Carlo test of goodness-of-fit of (in-)homogeneous K functions, simulating from the fitted values of a logistic model (i.e. a binomial GLM with logit link) fitted to the marks ("failure", "success") of a "binomially"-marked point pattern. This is particularly interesting in plant ecology when considering alternatives to the *random mortality hypothesis* (Kenkel 1988). This hypothesis is usually tested building Monte Carlo envelopes from the "successful" patterns resulting from a random labelling of a "binomially"-marked point pattern (this is equivalent to a random thinning of the whole pattern irrespective of the marks). As tree mortality is rarely random but instead can be modelled as a function of a certain number of covariates, the most natural alternative to the *random mortality hypothesis* is the *logistic mortality hypothesis*, that can be tested thinning the original pattern of trees with retention probabilities defined by the fitted values of a logistic model (Batista and Maguire 1998, Olano et al. 2008).

Kinhom.log will compute the envelopes by thinning the unmarked point pattern A with retention probabilities prob. If no prob vector is provided, all points will be thinned with the same probability (number of "live" points / number of points), i.e. Kinhom.log will compute random thinning envelopes.

Kinhom.log will compute envelopes both to homogeneous and inhomogeneous K functions. If no lambda or mode arguments are provided, Kinhom.log assumes that the original pattern is homogeneous and will use a constant lambda to compute the inhomogeneous K (i.e. it will compute the homogeneous K). The most convenient use with inhomogeneous point patterns is to provide the argument mod with an inhomogeneous Poisson model fitted to the original pattern of 'live' points (with spatstat function `ppm`; see the examples). This model will be used to compute (and to update in the simulations) the inhomogeneous trend (i.e. the "lambda") of the patterns. If the argument lambda is provided but not mod, these lambda will be used as a covariate to fit an inhomogeneous Poisson model that will be used to compute (and to update in the simulations) the inhomogeneous spatial trend.

Kinhom.log will produce an object of class 'ecspa.kci' that can be easily plotted (see the examples). This is accomplished by the S3 ploth method `plot.ecspa.kci`; it will plot the K-function and its envelopes (actually, it will plot the most usual L-function = $\sqrt{K(r)/pi} - r$).

Value

Kinhom.log returns an object of class `ecspa.kci`, basically a list with the following items:

<code>r</code>	Numeric vector. The values of the argument r at which the $K(r)$ functions have been evaluated.
<code>kia</code>	Numeric vector. Observed (in-)homogeneous K function.
<code>kia.s</code>	Matrix of simulated (in-)homogeneous K functions.
<code>datanamea</code>	Name of point pattern A.
<code>modnamea</code>	Name of model mod.
<code>type</code>	Type of analysis. Always "Kinhom.log".
<code>probname</code>	Name of the vector of fitted retention probabilities prob.
<code>modtrend</code>	Spatial trend (formula) of the model mod.
<code>nsim</code>	Number of simulations.

Warning

As this implementation involves the use of images as the means of evaluation of the (inhomogeneous) spatial trend, and a mask based on those images will be used as the point pattern window, the "Ripley's" or "isotropic" edge correction can not be employed.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

- Batista, J.L.F. and Maguire, D.A. 1998. Modelling the spatial structure of tropical forests. *For. Ecol. Manag.* 110: 293-314.
- Kenkel, N.C. 1988. Pattern of self-thinning in Jack Pine: testing the random mortality hypothesis. *Ecology* 69: 1017-1024.
- Olano, J.M., Laskurain, N.A., Escudero, A. and De la Cruz, M. 2009. Why and where adult trees die in a secondary temperate forest? The role of neighbourhood. *Annals of Forest Science* DOI: 10.1051/forest:2008074 .

Examples

```
## Not run:

require(spatstat)

data(quercusvm)

# read fitted values from logistic model:

probquercus <-c(0.99955463, 0.96563477, 0.97577094, 0.97327199, 0.92437309,
0.84023396, 0.94926682, 0.89687281, 0.99377915, 0.74157478, 0.95491518,
0.72366493, 0.66771787, 0.77330148, 0.67569082, 0.9874892, 0.7918891,
0.73246803, 0.81614635, 0.66446411, 0.80077908, 0.98290508, 0.54641754,
0.53546689, 0.73273626, 0.7347013, 0.65559655, 0.89481468, 0.63946334,
```

```
0.62101995, 0.78996371, 0.93179582, 0.80160346, 0.82204428, 0.90050059,
0.83810669, 0.92153079, 0.47872421, 0.24697004, 0.50680935, 0.6297911,
0.46374812, 0.65672284, 0.87951682, 0.35818237, 0.50932432, 0.92293014,
0.48580241, 0.49692053, 0.52290553, 0.7317549, 0.32445982, 0.30300865,
0.73599359, 0.6206056, 0.85777043, 0.65758613, 0.50100406, 0.31340849,
0.22289286, 0.40002879, 0.29567678, 0.56917817, 0.56866864, 0.27718552,
0.4910667, 0.47394411, 0.40543788, 0.29571349, 0.30436276, 0.47859015,
0.31754526, 0.42131675, 0.37468782, 0.73271225, 0.26786274, 0.59506388,
0.54801851, 0.38983575, 0.64896835, 0.37282031, 0.67624306, 0.29429766,
0.29197755, 0.2247629, 0.40697843, 0.17022391, 0.26528042, 0.24373722,
0.26936163, 0.13052254, 0.19958585, 0.18659692, 0.36686678, 0.47263005,
0.39557661, 0.68048997, 0.74878567, 0.88352322, 0.93851375)
```

```
#####
```

```
## Envelopes for an homogeneous point pattern:
```

```
cosap <- Kinhom.log(A=quercusvm, lifemark="0", nsim=99, prob=probquercus)
```

```
plot(cosap)
```

```
#####
```

```
## Envelopes for an inhomogeneous point pattern:
```

```
## First, fit an inhomogeneous Poisson model to alive trees :
```

```
quercusalive <- unmark(quercusvm[quercusvm$marks == 0])
```

```
mod2 <- ppm(quercusalive, ~polynom(x,y,2))
```

```
## Now use mod2 to estimate lambda for K.inhom:
```

```
cosapm <- Kinhom.log(A=quercusvm, lifemark="0", prob=probquercus,
                    nsim=99, mod=mod2)
```

```
#####
```

```
## An example of homogeneous random thinning:
```

```
cosa <- Kinhom.log(A=quercusvm, lifemark="0")
```

```
plot(cosa)
```

```
## End(Not run)
```

Description

This is a functional data summary for marked point patterns that measures the joint pattern of points and marks at different scales determined by r .

Usage

```
Kmm(mippp, r = 1:10, nsim=NULL)

## S3 method for plotting objects of class 'ecesper.kmm':
## S3 method for class 'ecesper.kmm'
plot(x, type="Kmm.n", q=0.025,
      xlim=NULL, ylim=NULL, main=NULL, add=FALSE, kmean=TRUE,
      ylab=NULL, xlab=NULL, lty=c(1,2,3), col=c(1,2,3), lwd=c(1,1,1),
      ...)
```

Arguments

mippp	A marked point pattern. An object with the <code>ppp</code> format of <code>spatstat</code> .
r	Sequence of distances at which <code>Kmm</code> is estimated.
nsim	Number of simulated point patterns to be generated when computing the envelopes.
x	An object of class <code>'ecesper.kmm'</code> . The result of applying <code>Kmm</code> to a marked point pattern.
type	Type of mark-weighted K-function to plot. One of <code>"Kmm"</code> ("plain" mark-weighted K-function) or <code>"Kmm.n"</code> (normalized mark-weighted K-function).
q	Quantile for selecting the simulation envelopes.
xlim	Max and min coordinates for the x-axis.
ylim	Max and min coordinates for the y-axis.
main	Title to add to the plot.
add	Logical. Should the <code>kmm</code> object be added to a previous plot?
kmean	Logical. Should the mean of the simulated <code>Kmm</code> envelopes be plotted?
ylab	Text or expression to label the y-axis.
xlab	Text or expression to label the x-axis.
lty	Vector with the line type for the estimated <code>Kmm</code> function, the simulated envelopes and the mean of the simulated envelopes.
col	Vector with the color for the estimated <code>Kmm</code> function, the simulated envelopes and the mean of the simulated envelopes.
lwd	Vector with the line width for the estimated <code>Kmm</code> function, the simulated envelopes and the mean of the simulated envelopes.
...	Additional graphical parameters passed to plot.

Details

Penttinen (2006) defines $Kmm(r)$, the mark-weighted K -function of a stationary marked point process X , so that

$$\lambda * Kmm(r) = Eo[\text{sum}(m0 * mn)]/\mu^2$$

where λ is the intensity of the process, i.e. the expected number of points of X per unit area, $Eo[]$ denotes expectation (given that there is a point at the origin); $m0$ and mn are the marks attached to every two points of the process separated by a distance $\leq r$ and μ is the mean mark. It measures the joint pattern of marks and points at the scales determined by r . If all the marks are set to 1, then $\lambda * Kmm(r)$ equals the expected number of additional random points within a distance r of a typical random point of X , i.e. Kmm becomes the conventional Ripley's K -function for unmarked point processes. As the K -function measures clustering or regularity among the points regardless of the marks, one can separate clustering of marks with the *normalized weighted K-function*

$$Kmm.normalized(r) = Kmm(r)/K(r)$$

If the process is independently marked, $Kmm(r)$ equals $K(r)$ so the normalized mark-weighted K -function will equal 1 for all distances r .

If `nsim != NULL`, `Kmm` computes '*simulation envelopes*' from the simulated point patterns. These are simulated from `nsim` random permutations of the marks over the points coordinates. This is a kind of pointwise test of $Kmm(r) == 1$ or $normalizedKmm(r) == 1$ for a given r .

Value

`Kmm` returns an object of class '`ecespa.kmm`', basically a list with the following items:

<code>dataname</code>	Name of the analyzed point pattern.
<code>r</code>	Sequence of distances at which <code>Kmm</code> is estimated.
<code>nsim</code>	Number of simulations for computing the envelopes, or <code>NULL</code> if none.
<code>kmm</code>	Mark-weighted K -function.
<code>kmm.n</code>	Normalized mark-weighted K -function.
<code>kmmsim</code>	Matrix of simulated mark-weighted K -functions, or or <code>NULL</code> if none.
<code>kmmsim.n</code>	Matrix of simulated normalized mark-weighted K -functions, or or <code>NULL</code> if none.

Note

This implementation estimates $Kmm(r)$ without any correction of border effects, so it must be used with caution. However, as $K(r)$ is also estimated without correction it might compensate the border effects on the normalized Kmm -function.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

De la Cruz, M. 2008. Métodos para analizar datos puntuales. En: *Introducción al Análisis Espacial de Datos en Ecología y Ciencias Ambientales: Métodos y Aplicaciones* (eds. Maestre, F. T., Escudero, A. y Bonet, A.), pp 76-127. Asociación Española de Ecología Terrestre, Universidad Rey Juan Carlos y Caja de Ahorros del Mediterráneo, Madrid.

Penttinen, A. 2006. Statistics for Marked Point Patterns. In *The Yearbook of the Finnish Statistical Society*, pp. 70-91.

See Also

[markcorr](#)

Examples

```
## Not run:
## Figure 3.10 of De la Cruz (2008):

data(seedlings1)

data(seedlings2)

s1km <- Kmm(seedlings1, r=1:100)

s2km <- Kmm(seedlings2, r=1:100)

plot(s1km, ylim=c(0.6,1.2), lwd=2, main="", xlab="r(cm)")

plot(s2km, lwd=2, lty=2, add=T )

abline(h=1, lwd=2, lty=3)

legend(x=60, y=1.2, legend=c("Hs_C1", "Hs_C2", "H0"),
lty=c(1, 2, 3), lwd=c(3, 2, 2), bty="n")

## A pointwise test of normalized Kmm == 1 for seedlings1:

s1km.test <- Kmm(seedlings1, r=1:100, nsim=99)

plot(s1km.test, xlab="r(cm)")

## End(Not run)
```

Description

For a multitype point pattern, calculates the combined estimator of the bivariate $K_{ij}(r)$ and $K_{ji}(r)$ functions.

Usage

```
Kmulti.ls(X, I, J, r = NULL, corre = "isotropic")
```

Arguments

X	Multitype marked point pattern. An object with the <code>ppp</code> format of spatstat .
I	Subset index specifying the points of the first pattern.
J	Subset index specifying the points of the second pattern.
r	Numeric vector. The values of the argument r at which the multitype K function $K^*_{ij}(r)$ should be evaluated.
corre	A character item selecting any of the options "border", "bord.modif", "isotropic", "Ripley" or "translate", as described in Kest . It specifies the edge correction(s) to be applied.

Details

As a consequence of edge effects, the estimators $K_{ij}(r)$ and $K_{ji}(r)$ of the same bivariate pattern could differ. $K^*_{ij}(r)$ is the combined estimator defined by Lotwick and Silverman (1982) as

$$n_j * K_{ij}(r) + n_i * K_{ji}(r) / (n_i + n_j),$$

n_i and n_j being respectively the number of points in I and J .

Value

An object of class "fv" (see [fv.object](#)). Essentially a data frame containing numeric columns

r The values of the argument r at which the function $K^*_{ij}(r)$ has been estimated

.

theo The theoretical value of $K * ij(r)$ for a marked Poisson process, namely $p_i * r^2$

.

together with a column or columns named "border", "bord.modif", "iso" and/or "trans", according to the selected edge corrections. These columns contain estimates of the function $K^*_{ij}(r)$ obtained by the edge corrections named.

Note

`Kmulti.ls` is a wrapper for a convenient use of the `Kmulti` function of **spatstat**. Please refer to its help page for additional documentation.

Author(s)

Marcelino de la Cruz. <marcelino.delacruz@upm.es>

References

Lotwick, H.W. & Silverman, B. W. 1982. Methods for analysing spatial processes of several types of points. *Journal of the Royal Statistical Society B* **44**: 406-413.

Examples

```
## Not run:
data(amacrine)

plot(Kmulti.ls(amacrine, I=amacrine$marks=="on", J=amacrine$marks=="off",
  corre="isotropic"), sqrt(./pi)-r~r, main="")

# compare with Kmulti

plot(Kmulti(amacrine, I=amacrine$marks=="on", J=amacrine$marks=="off"),
  sqrt(iso/pi)-r~r, add=TRUE, col=3)

plot(Kmulti(amacrine, J=amacrine$marks=="on", I=amacrine$marks=="off"),
  sqrt(iso/pi)-r~r, add=TRUE, col=4)

## End(Not run)
```

marksum

Mark-sum measure

Description

An exploratory data analysis technique for marked point patterns. The marked point pattern is mapped to a random field for visual inspection.

Usage

```
marksum(mippp, R = 10, nx = 30, ny = 30)

## S3 method for plotting objects of class 'ecspa.marksum':
## S3 method for class 'ecspa.marksum'
plot(x, what="normalized", contour=FALSE, grid=FALSE, ribbon=TRUE, col=NULL, main=NULL, xlab="", ylab="")
```

Arguments

mippp A marked point pattern. An object with the `ppp` format of **spatstat**.

R Radius. The distance argument *r* at which the mark-sum measure should be computed

nx	Grid density (for estimation) in the x-side.
ny	Grid density (for estimation) in the y-side.
x	An object of class 'ecspa.marksum'. Usually, the result of applying marksum to a point pattern.
what	What to plot. One of "marksum" (raw mark sum measure), "point" (point sum measure) or "normalized" (normalized sum measure).
contour	Logical; if "TRUE" add contour to map.
grid	Logical; if "TRUE" add marked grid to map.
ribbon	Logical; if "TRUE" add legend to map.
col	Color table to use for the map (see help file on image for details).
main	Text or expression to add as a title to the plot.
xlab	Text or expression to add as a label to axis x.
ylab	Text or expression to add as a label to axis y.
...	Additional parameters to smooth.ppp , density.ppp or as.mask , to control the parameters of the smoothing kernel, pixel resolution, etc.

Details

Penttinen (2006) defines the *mark-sum measure* as a smoothed summary measuring locally the contribution of points and marks. For any fixed location x within the observational window and a distance R , the mark-sum measure $S[R](x)$ equals the sum of the marks of the points within the circle of radius R with centre in x . The *point-sum measure* $I[R](x)$ is defined by him as the sum of points within the circle of radius R with centre in x , and describes the contribution of points locally near x . The *normalized mark-sum measure* describes the contribution of marks near x and is defined (Penttinen, 2006) as

$$S.normalized[R](x) = S[R](x)/I[R](x)$$

This implementation of marksum estimates the mark-sum and the point-sum measures in a grid of points whose density is defined by nx and ny.

Value

marksum gives an object of class 'ecspa.marksum'; basically a list with the following elements:

normalized	Normalized mark-sum measure estimated in the grid points.
marksum	Raw mark-sum measure estimated in the grid points.
pointsum	Point-sum measure estimated in the grid points.
minus	Point-sum of the grid points. For advanced use only.
grid	Grid of points.
nx	Density of the estimating grid in the x-side.
ny	Density of the estimating grid in the x-side.
dataname	Name of the ppp object analysed.
R	Radius. The distance argument r at which the mark-sum measure has been computed.
window	Window of the point pattern.
plot.ecspa.marksum	plots the selected mark-sum measure.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

Penttinen, A. 2006. Statistics for Marked Point Patterns. In *The Yearbook of the Finnish Statistical Society*, pp. 70-91.

See Also

[getis](#), related to the point-sum measure, and [markstat](#) for designing different implementations.

Examples

```
## Not run:

data(seedlings1)

seed.m <- marksum(seedlings1, R=25)

plot(seed.m, what="marksum", sigma = 5) # raw mark-sum measure; sigma is bandwidth for smoothing

plot(seed.m, what="pointsum", sigma = 5, col = tim.colors(30),) # point sum measure

plot(seed.m, what="normalized", dimyx=200, contour=TRUE, sigma = 5) # normalized mark-sum measure

# the same with added grid
plot(seed.m, what="normalized", dimyx=200, contour=TRUE, sigma = 5, grid=TRUE) # normalized mark-sum measure

## End(Not run)
```

p2colasr

P-value for a discrete distribution on small sample data

Description

Computes the p-value for a two-sided hypothesis test following Dixon's (2002:145) description of the method of Agresti & Min (2001).

Usage

```
p2colasr(Z, nsim = length(Z))
```

Arguments

Z	vector with the observed Z-score in the first position and all the simulated values behind.
nsim	Number of simulated values.

Value

P-value of the two-sided hypothesis test

Note

This function is usually not to be called by the user. It is internally used by [dixon2002](#).

Author(s)

Marcelino de la Cruz Rot. <marcelino.delacruz@upm.es>

References

Agresti, A. & Min, Y. 2001. On small-sample confidence intervals for parameters in discrete distributions. *Biometrics*, **57**: 963-971.

Dixon, P.M. 2002. Nearest-neighbor contingency table analysis of spatial segregation for several species. *Ecoscience*, **9**(2): 142-151.

 pc.estK

Fit the Poisson Cluster Point Process by Minimum Contrast

Description

Fits the Poisson Cluster point process to a point pattern dataset by the Method of Minimum Contrast.

Usage

```
pc.estK(Kobs, r, sigma2 = NULL, rho = NULL)
Kclust(r, sigma2, rho)
```

Arguments

Kobs	Empirical K -function.
r	Sequence of distances at which function K has been estimated.
sigma2	Optional. Starting value for the parameter σ^2 of the Poisson Cluster process.
rho	Optional. Starting value for the parameter ρ of the Poisson Cluster process.

Details

The algorithm fits the Poisson cluster point process to a point pattern, by finding the parameters of the Poisson cluster model which give the closest match between the theoretical K function of the Poisson cluster process and the observed K function. For a more detailed explanation of the Method of Minimum Contrast, see [mincontrast](#) in **spatstat** or Diggle (2003: 86).

The Poisson cluster processes are defined by the following postulates (Diggle 2003):

- PCP1* Parent events form a Poisson process with intensity ρ .
- PCP2* Each parent produces a random number of offspring, according to a probability distribution $p[s] : s = 0, 1, 2, \dots$
- PCP3* The positions of the offspring relative to their parents are distributed according to a bivariate pdf h .

This implementation assumes that the probability distribution $p[s]$ of offspring per parent is a Poisson distribution and that the position of each offspring relative to its parent follows a radially symmetric Gaussian distribution with pdf

$$h(x, y) = [1/(2 * \pi * \sigma^2)] * \exp[-(x^2 + y^2)/(2 * \sigma^2)]$$

The theoretical K -function of this Poisson cluster process is (Diggle, 2003):

$$\pi * r^2 + [1 - \exp(-r^2/4 * \sigma^2)]/\rho$$

The command `Kclust` computes the theoretical K -function of this Poisson cluster process and can be used to find some initial estimates of ρ and σ^2 . In any case, the optimization usually finds the correct parameters even without starting values for these parameters.

This Poisson cluster process can be simulated with `sim.poissonc`.

Value

sigma2	Parameter σ^2 .
rho	Parameter ρ .

Note

The exponents p and q of the contrast criterion (see `mincontrast`) are fixed respectively to $p = 2$ and $q = 1/4$. The *rmin* and *rmax* limits of integration of the contrast criterion are set up by the sequence of values of r and K_{obs} passed to `pc.estK`.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>, inspired by some code of Philip M. Dixon <http://www.public.iastate.edu/~pdixon/>

References

Diggle, P. J. 2003. *Statistical analysis of spatial point patterns*. Arnold, London.

See Also

`ipc.estK` for fitting the inhomogeneous Poisson cluster process; some functions in `spatstat` (`matclust.estK` and `lgcp.estK`) fit other appropriate processes for clustered patterns; `mincontrast` performs a more general implementation of the method of minimum contrast.

Examples

```
## Not run:

data(gypsophylous)

## Estimate K function ("Kobs").

gyps.env <- envelope(gypsophylous, Kest, correction="iso", nsim=99)

plot(gyps.env, sqrt(./pi)-r~r, legend=FALSE)

## Fit Poisson Cluster Process. The limits of integration
## rmin and rmax are setup to 0 and 60, respectively.

cosa.pc <- pc.estK(Kobs = gyps.env$obs[gyps.env$r<=60],
  r = gyps.env$r[gyps.env$r<=60])

## Add fitted Kclust function to the plot.

lines(gyps.env$r, sqrt(Kclust(gyps.env$r, cosa.pc$sigma2, cosa.pc$rho)/pi)-gyps.env$r,
  lty=2, lwd=3, col="purple")

## A kind of pointwise test of the gypsophylous pattern been a realisation
## of the fitted model, simulating with sim.poissonc and using function J (Jest).

gyps.env.sim <- envelope(gypsophylous, Jest, nsim=99,
  simulate=expression(sim.poissonc(gypsophylous,
  sigma=sqrt(cosa.pc$sigma2), rho=cosa.pc$rho)))

plot(gyps.env.sim, main="", legendpos="bottomleft")

## End(Not run)
```

quercusvm

Alive and dead oak trees

Description

Locations of alive and dead oak trees (*Quercus robur*) in a secondary wood in Urkiola Natural Park (Basque country, north of Spain). This is part of a more extensive dataset collected and analysed by Laskurain (2008). The coordinates of the trees are given in meters.

Usage

```
data(quercusvm)
```

Format

An object of class "ppp" representing the point pattern of tree locations. Entries include

x Cartesian x-coordinate of tree.

y Cartesian y-coordinate of tree.

marks factor with two levels indicating the status of each tree (1 = "alive", 0 = "dead").

See [ppp](#) for details of the format of a ppp object.

References

Laskurain, N. A. (2008) *Dinámica espacio-temporal de un bosque secundario en el Parque Natural de Urkiola (Bizkaia)*. Tesis Doctoral. Universidad del País Vasco /Euskal Herriko Unibertsitatea.

 rIPCP

Simulate Inhomogeneous Poisson Cluster Process

Description

Generate a random point pattern, a simulated realisation of the Inhomogeneous Poisson Cluster Process.

Usage

```
rIPCP(x, lambda = NULL, type = 1, lmax = NULL, win = owin(c(0, 1), c(0, 1)), ...)
```

Arguments

x	an object of class 'ecspa.minconfit', resulting from the function ipc.estK .
lambda	Optional. Values of the estimated intensity function as a pixel image (object of class "im" of spatstat) giving the intensity values at all locations.
type	Type of 'prethinning' employed in the simulation. See details.
lmax	Optional. Upper bound on the values of lambda.
win	Optional. Window of the simulated pattern.
...	Optional. Arguments passed to as.im .

Details

This function simulates the Inhomogeneous Poisson Cluster process from an object of class 'ecspa.minconfit', resulting from fitting an IPCP to some 'original' point pattern using the function [ipc.estK](#). Following the approach of Waagepetersen (2007), the simulation involves a first step in which an homogeneous aggregated pattern is simulated (from the fitted parameters of the 'ecspa.minconfit' object, using function [rThomas](#) of spatstat) and a second one in which the homogeneous pattern is thinned with a spatially varying thinning probability $f(s)$ proportional to the spatially varying intensity, i.e. $f(s) = \lambda(s) / \max[\lambda(s)]$. To obtain a 'final' density similar to that of the original point pattern, a "prethinning" must be performed. There are two alternatives. If the

argument 'type' is set equal to '1', the expected number of points per cluster (μ parameter of `rThomas` is thinned as $\mu \leftarrow \mu.0 / \text{mean}[f(s)]$, where $\mu.0$ is the mean number of points per cluster of the original pattern. This alternative produces point patterns most similar to the 'original'. If the argument 'type' is set equal to '2', the fitted intensity of the Poisson process of cluster centres (κ parameter of `rThomas`, i.e. the intensity of 'parent' points) is thinned as $\kappa \leftarrow \kappa / \text{mean}[f(s)]$. This alternative produces patterns more uniform than the 'original' and it is provided only for experimental purposes.

Value

A point pattern, with the format of the `ppp` objects of `spatstat`.

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

Waagepetersen, R. 2007. An estimating function approach to inference for inhomogeneous Neyman-Scott processes. *Biometrics* 63:252-258.

See Also

`sim.poissonc` to simulate homogeneous PCP; `rNeymanScott` and `rThomas` in `spatstat` are the basis of this function

Examples

```
## Not run:

data(gypsophylous)

plot(gypsophylous)

## It 'seems' that the pattern is clustered, so
## fit a Poisson Cluster Process. The limits of integration
## rmin and rmax are setup to 0 and 60, respectively.

cosa.pc2 <- ipc.estK(gypsophylous, r = seq(0, 60, by=0.2))

## Create one instance of the fitted PCP:

pointp <- rIPCP( cosa.pc2)

plot(pointp)

#####
## Inhomogeneous example

data(urkiola)
```

```
# get univariate pp
I.ppp <- split.ppp(urkiola)$birch

plot(I.ppp)

#estimate inhomogeneous intensity function
I.lam <- predict (ppm(I.ppp, ~polynom(x,y,2)), type="trend", ngrid=200)

# It seems that there is short scale clustering; lets fit an IPCP:

I.ki <- ipc.estK(mipp=I.ppp, lambda=I.lam, correction="trans")

## Create one instance of the fitted PCP:

pointpi <- rIPCP( I.ki)

plot(pointpi)

## End(Not run)
```

seedlings

Cohorts of Helianthemum squamatum seedlings

Description

Marked point patterns of two consecutive cohorts of seedlings of *H. squamatum* growing in a gypsophylous plant community in Central Spain. The datasets contains the locations of the seedlings marked with their height. Both the coordinates and the height of the seedlings are given in cm.

Usage

```
data(seedlings1)
data(seedlings2)
```

Format

seedlings1 and seedlings2 are objects of class "ppp" representing the point pattern of seedling locations marked by their heights. See [ppp.object](#) for details of the format.

Source

Romao, R.L. 2003. *Estructura espacial de comunidades de gipsófitos: interacciones bióticas y constricciones abióticas*. Tesis Doctoral. Universidad Politécnica de Madrid.

References

De la Cruz, M. 2006. Introducción al análisis de datos mapeados o algunas de las (muchas) cosas que puedo hacer si tengo coordenadas. *Ecosistemas*. 2006/3.

<http://www.revistaecosistemas.net/pdfs/448.pdf>.

Escudero, A., Romao, R.L., De la Cruz, M. & Maestre, F. 2005. Spatial pattern and neighbour effects on *Helianthemum squamatum* seedlings in a Mediterranean gypsum community. *J. Veg. Sci.*, **16**: 383-390.

Examples

```
## Not run:

data(seedlings1)

plot(seedlings1)

## End(Not run)
```

sim.poissonc

Simulate Poisson Cluster Process

Description

Generate a random point pattern, a simulated realisation of the Poisson Cluster Process

Usage

```
sim.poissonc(x.ppp, rho, sigma)
```

Arguments

x.ppp	Point pattern whose window and intensity will be simulated. An object with the ppp format of spatstat .
rho	Parameter <i>rho</i> of the Poisson Cluster process.
sigma	Parameter <i>sigma</i> of the Poisson Cluster process.

Details

The Poisson cluster processes are defined by the following postulates (Diggle 2003):

- PCP1* Parent events form a Poisson process with intensity *rho*.
- PCP2* Each parent produces a random number of offspring, according to a probability distribution $p[s] : s = 0, 1, 2, \dots$
- PCP3* The positions of the offspring relative to their parents are distributed according to a bivariate pdf *h*.

This implementation assumes that the probability distribution $p[s]$ of offspring per parent is a Poisson distribution and that the position of each offspring relative to its parent follows a radially symmetric Gaussian distribution with pdf

$$h(x, y) = [1/(2 * pi * sigma^2)] * exp[-(x^2 + y^2)/(2 * sigma^2)]$$

Value

The simulated point pattern (an object of class "ppp").

Warning

This implementation simulates only point patterns within rectangular windows. Use `ipc.estK` to fit and `rIPCP` (or the `spatstat` functions) to simulate point patterns within irregular windows.

Note

This function can use the results of `pc.estK` to simulate point patterns from a fitted model. Be careful as the parameter returned by `pc.estK` is σ^2 while `sim.poissonc` takes its square root, i.e. σ .

Author(s)

Marcelino de la Cruz Rot <marcelino.delacruz@upm.es>

References

Diggle, P.J. 2003. *Statistical analysis of spatial point patterns*. Arnold, London.

See Also

`rIPCP` to simulate inhomogeneous PCP; `rNeymanScott` and `rThomas` in `spatstat`

Examples

```
## Not run:

data(gypsophylous)

## Estimate K function ("Kobs").
gyps.env <- envelope(gypsophylous, Kest, correction="iso")

plot(gyps.env, sqrt(./pi)-r~r)

## Fit Poisson Cluster Process. The limits of integration
## rmin and rmax are setup to 0 and 60, respectively.
cosa.pc <- pc.estK(Kobs = gyps.env$obs[gyps.env$r<=60],
  r = gyps.env$r[gyps.env$r<=60])

## Add fitted Kclust function to the plot.
lines(gyps.env$r, sqrt(Kclust(gyps.env$r, cosa.pc$sigma2, cosa.pc$rho)/pi)-gyps.env$r,
```

```

      lty=2, lwd=3, col="purple")

## A kind of pointwise test of the pattern gypsophilous been a realisation
## of the fitted model, simulating with sim.poissonc and using function J (Jest).

gyps.env.sim <- envelope(gypsophilous, Jest,
                        simulate=expression(sim.poissonc(gypsophilous,
                  sigma=sqrt(cosa.pc$sigma2), rho=cosa.pc$rho)))

plot(gyps.env.sim, main="")

## End(Not run)

```

 swamp

Tree Species in a Swamp Forest

Description

Locations and botanical classification of trees in a plot in the Savannah River. Locations are given in metres, rounded to the nearest 0.1 metre. The data come from a 1-ha (200 m x 50 m) plot in the Savannah River Site, South Carolina, USA. The 734 mapped stems included 156 Carolina ash (*Fraxinus caroliniana*), 215 Water tupelo (*Nyssa aquatica*), 205 Swamp tupelo (*Nyssa sylvatica*), 98 Bald cypress (*Taxodium distichum*) and 60 stems of 8 additional species. Although the plots were set up by Bill Good and their spatial patterns described in Good and Whipple(1982), the plots have been maintained and resampled by Rebecca Sharitz and her colleagues of the Savannah River Ecology Laboratory. There are slightly different versions of the Good plot data. Every time the plots are resampled, some errors are corrected. This is mostly a concern for the biologists. The different versions are very similar; they are all very good examples of a marked spatial point pattern.

Usage

```
data(swamp)
```

Format

A data frame with 734 observations on the following 3 variables.

x Cartesian x-coordinate of tree

y Cartesian y-coordinate of tree

sp a factor with levels indicating the species of each tree:

FX	Carolina ash (<i>Fraxinus caroliniana</i>)
NS	Swamp tupelo (<i>Nyssa sylvatica</i>)
NX	Water tupelo (<i>Nyssa aquatica</i>)
TD	Bald cypress (<i>Taxodium distichum</i>)
OT	Other species

Source

Philip Dixon's personal web page <http://www.public.iastate.edu/~pdixon/>

References

- Dixon, P.M. 2002. Nearest-neighbor contingency table analysis of spatial segregation for several species. *Ecoscience*, **9**(2): 142-151.
- Good, , B. J. & Whipple, S.A. 1982. Tree spatial patterns: South Carolina bottomland and swamp forest. *Bulletin of the Torrey Botanical Club*, **109**: 529-536.
- Jones et al. 1994. Tree population dynamics in seven South Carolina mixed-species forests. *Bulletin of the Torrey Botanical Club*, **121**:360-368.

Examples

```
data(swamp)
plot(swamp$x,swamp$y, col=as.numeric(swamp$sp),pch=19,
      xlab="",ylab="",main="Swamp forest")
```

syrjala	<i>Syrjala's test for the difference between the spatial distributions of two populations</i>
---------	---

Description

Computes a two-sample Cramer-von Mises (and Kolmogorov-Smirnov) type test for a difference between the spatial distributions of two populations. It is designed to be sensitive to differences in the way the populations are distributed across the study area but insensitive to differences in abundance between the two populations.

Usage

```
syrjala0(coords, var1, var2, nsim, R=FALSE)
syrjala(coords = NULL, var1 = NULL, var2 = NULL, nperm = 999)
syrjala.test(ppp1, ppp2, nsim = 999)
## S3 method for class 'syrjala.test'
plot(x, coline=1, ...)
## S3 method for class 'ecespa.syrjala'
plot(x, ...)
```

Arguments

coords	A data.frame with '\$x' and '\$y' components.
var1	The first numeric variable
var2	The second numeric variable.
nperm	Number of permutations.

nsim	Number of permutations.
R	Logical. Should be computed using R approach?
ppp1	A marked point pattern, with the <code>ppp</code> format of <code>spatstat</code> , representing the values of some parameter measured on the corresponding sampling locations.
ppp2	A marked point pattern, with the <code>ppp</code> format of <code>spatstat</code> , representing the values of some other parameter measured on the same locations than <code>ppp1</code> .
x	An object of class <code>'syrjala.test'</code> or <code>'ecespa.syrjala'</code> resulting from <code>syrjala</code> or <code>syrjala.test</code> , respectively.
coline	color for drawing the statistic's line in the plot.
...	Graphical parameters passed to <code>hist</code> .

Details

The null hypothesis of Syrjala's test is that across the study area, the normalized distributions of the two populations are the same (Syrjala, 1996). Population density data are collected at K sampling locations on two populations. Let (x_k, y_k) denote the coordinates of the k th sampling location ($k = 1, \dots, K$); let $d.i(x_k, y_k)$ denote the sample density at the K th sampling location of the i th population. To construct a test that is independent of the population sizes, the observed density data is first normalized:

$$\text{gamma}.i(x_k, y_k) = d.i(x_k, y_k) / D_i,$$

where D_i is the sum of $d.i(x_k, y_k)$ observations across the K sampling locations. The value of the cumulative distribution function at the location (x_k, y_k) for the i th population, denoted $GAMMA.i(x_k, y_k)$, is the sum of all normalized density observations, $\text{gamma}.i(x_k, y_k)$, whose location (x, y) is such that $x \leq x_k$ and $y \leq y_k$. The statistic proposed by Syrjala to test the null hypothesis is the square of the difference between the cumulative distribution functions of the two populations, summed over all sampling locations, that is

$$\text{psi} = \text{sumGAMMA}.1(x_k, y_k) - \text{GAMMA}.2(x_k, y_k)^2.$$

As psi is not invariant with respect to the 'corner' of the rectangle enclosing the study area that is chosen as the origin of the coordinate system, psi is computed four times, one with each corner as the origin, and the average psi is employed as the test statistic. The level of significance of the observed psi is determined from its position in the ordered set of test statistic values from all 2^K pairwise permutations (that is approximated from a large number of randomly selected permutations).

Value

Functions `syrjala` or `syrjala0` (with the argument `R=FALSE`) return an object of class `'syrjala.test'`. Functions `syrjala.test` or `syrjala0` (with the argument `R=TRUE`) return an object of class `'ecespa.syrjala'`. In Both cases, the result is a list with the following elements:

<code>cvm.obs</code>	(class <code>syrjala.test</code>). The observed (averaged) psi statistic for the CvM test.
<code>cvm.sim</code>	(class <code>syrjala.test</code>). A numeric vector with the <code>nperm+1</code> simulated psi 's statistics (including <code>cvm.obs</code>).
<code>ks.obs</code>	(class <code>syrjala.test</code>). The observed (averaged) psi statistic for the K-S test.
<code>ks.sim</code>	(class <code>syrjala.test</code>). A numeric vector with the <code>nperm+1</code> simulated psi 's statistics (including <code>ks.obs</code>).

datanames	(class syrjala.test). A character vector with the names of the two patterns, the spatial congruence of which is been analyzed.
nperm	(class syrjala.test). The number of permutations employed in the test (not counting the original data).
psi.obs	(class ecespa.syrjala).The observed (averaged) <i>psi</i> statistic.
psi.sim	(class ecespa.syrjala). A vector with the <i>nsim</i> simulated <i>psi</i> 's statistics.
datanames	(class ecespa.syrjala). A vector with the names of the two point patterns whose spatial congruence is been analyzed.
nsim	(class ecespa.syrjala). The number of permutations employed in the test.

Both S3 plot methods plot an histogram with the distribution of the simulated *psi*'s statistics and draws the observed *psi* as a vertical line.

Warning

The test requires both populations being sampled in exactly the same sampling locations. Although this implementation employs `ppp`'s as the supporting data format, this kind of data are **not** spatial point patterns. They cannot be analysed with the usual tools employed for marked point patterns.

Note

`syrjala` or `syrjala0` (with the argument `R=FALSE`) implement a Fortran version of Syrjala's test. They run considerably faster than the "whole-R" implementation of `syrjala.test` or `syrjala0` (with the argument `R=TRUE`). This last implementation is supplied for illustrative purposes and to maintain compability with previous versions of package `ecespera`. One can use function `haz.ppp` to easily build the `ppp` objects from a `data.frame` with only three columns (x-coordinate, y-coordinate and abundance).

This function has been employed to compute Syrjala's test in Rey-Benayas et al. (2008).

Author(s)

Jose M. Blanco-Moreno <jmblanco@ub.edu> for the Fortran implementation of Syrjala's original QBasic function, Marcelino de la Cruz Rot <marcelino.delacruz@upm.es> for the R version, the wrapping functions and the documentation

References

- Rey-Benayas, J.M., de la Montaña, E., Pérez-Camacho, L., de la Cruz, M., Moreno, D., Parejo, J.L. and Suárez-Seoane, S. 2008. Inter-annual dynamics and spatial congruence of a nocturnal bird assemblage inhabiting a Mediterranean agricultural mosaic. *Submitted*.
- Syrjala, S. E. 1996. A statistical test for a difference between the spatial distributions of two populations. *Ecology* 77: 75-80.

Examples

```
## Not run:

data(syr1); data(syr2); data(syr3)

plot(syrjala.test(syr1, syr2, nsim=999))

plot(syrjala.test(syr1, syr3, nsim=999))

coords <- data.frame(x=syr1$x, y=syr1$y); var1<- syr1$marks; var2<- syr2$marks

syrjala(coords, var1, var2, 9999)

syrjala0(coords, var1, var2, 9999)

syrjala0(coords, var1, var2, 999, R=TRUE)

coords <- expand.grid(x=1:10,y=1:10)
var1 <- runif(100)
var2 <- runif(100)
syrjala(coords, var1, var2, 9999)

## End(Not run)
```

syrjala.data

Syrjala test data

Description

Artificial data to exemplify Syrjala's test.

Usage

```
data(syr1)
data(syr2)
data(syr3)
```

Format

syr1, syr2 and syr3 are marked point patterns of class "ppp" representing the coordinates of some sampling locations, 'marked' by the value of some parameters (e.g. density of individuals) measured on them. See [ppp.object](#) for details of the format. On the other hand, one can use function [haz.ppp](#) to easily build ppp objects appropriate for use with [syrjala.test](#).

syrjala.data

57

Examples

```
data(syr1)
```

Index

*Topic **datasets**

figuras, 11
gypsophylous, 16
Helianthemum, 18
quercusvm, 46
seedlings, 49
swamp, 52
syrjala.data, 56

*Topic **distribution**

p2colasr, 42
syrjala, 53

*Topic **math**

dixon2002, 2

*Topic **package**

ecespa, 5

*Topic **spatial**

dixon2002, 2
ecespa, 5
getis, 14
haz.ppp, 17
ipc.estK, 19
K012, 23
K1K2, 26
Kci, 28
Kinhom.log, 32
Kmm, 35
Kmulti.ls, 38
marksum, 40
pc.estK, 43
rIPCP, 47
sim.poissonc, 50
syrjala, 53

as.im, 47
as.mask, 41
as.ppp, 18

density.ppp, 41
dixon2002, 2, 25, 43

ecespa, 5
ecespa-package (ecespa), 5
ecespa.kci, 33
ecespa.kci (Kci), 28
ecespa.kmm (Kmm), 35
ecespa.minconfit, 29, 30
ecespa.minconfit (ipc.estK), 19

fig1 (figuras), 11
fig2 (figuras), 11
fig3 (figuras), 11
figuras, 11
fv.object, 25, 27, 39

getis, 14, 42
gypsophylous, 16

haz.ppp, 17, 55, 56
heat.colors, 14
Helianthemum, 18
hist, 54

im, 20, 32
interp, 15
ipc.estK, 19, 45, 47, 51

K012, 4, 23
K1K2, 26, 30
Kci, 28
Kclust, 45
Kclust (pc.estK), 43
Kcross, 15
Kcross.inhom, 30
Kest, 14, 39
Ki (Kci), 28
Kinhom, 30
Kinhom.log, 32
Kmm, 35
Kmulti, 39
Kmulti.ls, 24, 27, 38

lgcp.estK, 21, 45
localK, 15

markcorr, 38
markstat, 42
marksum, 40
matclust.estK, 21, 45
mincontrast, 20, 21, 44, 45

p2colasr, 42
pc.estK, 21, 43, 51
plot.ecespa.getis (getis), 14
plot.ecespa.kci, 33
plot.ecespa.kci (Kci), 28
plot.ecespa.kmm (Kmm), 35
plot.ecespa.marksum (marksum), 40
plot.ecespa.minconfit (ipc.estK), 19
plot.ecespa.syrjala (syrjala), 53
plot.syrjala.test (syrjala), 53
ppm, 29–33
ppp, 14, 18, 20, 24, 26, 32, 36, 39, 40, 47, 48, 50, 54, 55
ppp.object, 17, 19, 49, 56
predict.ppm, 29, 33
print.ecespa.getis (getis), 14
print.ecespa.kci (Kci), 28
print.ecespa.kmm (Kmm), 35
print.ecespa.marksum (marksum), 40
print.ecespa.minconfit (ipc.estK), 19
print.ecespa.syrjala (syrjala), 53
print.syrjala.test (syrjala), 53

quercusvm, 46

rainbow, 14
rIPCP, 21, 29, 47, 51
rmh, 29
rNeymanScott, 48, 51
rThomas, 47, 48, 51

seedlings, 49
seedlings1 (seedlings), 49
seedlings2 (seedlings), 49
sim.poissonc, 45, 48, 50
smooth.ppp, 15, 41
swamp, 2, 52
syr1 (syrjala.data), 56
syr2 (syrjala.data), 56
syr3 (syrjala.data), 56
syrjala, 53
syrjala.data, 56
syrjala.test, 56
syrjala0 (syrjala), 53

terrain.colors, 14
topo.colors, 14