Package ‘dynlm’

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dynlm

Dynamic Linear Models and Time Series Regression

Description

Interface to `lm.wfit` for fitting dynamic linear models and time series regression relationships.

Usage

```r
dynlm(formula, data, subset, weights, na.action, method = "qr", model = TRUE, x = FALSE, y = FALSE, qr = TRUE, singular.ok = TRUE, contrasts = NULL, offset, start = NULL, end = NULL, ...)
```

Arguments

- `formula`: a "formula" describing the linear model to be fit. For details see below and `lm`
- `data`: an optional "data.frame" or time series object (e.g., "ts" or "zoo"), containing the variables in the model. If not found in data, the variables are taken from `environment(formula)`, typically the environment from which `lm` is called.
- `subset`: an optional vector specifying a subset of observations to be used in the fitting process.
- `weights`: an optional vector of weights to be used in the fitting process. If specified, weighted least squares is used with weights `weights` (that is, minimizing `sum(w*e^2)`); otherwise ordinary least squares is used.
- `na.action`: a function which indicates what should happen when the data contain NAs. The default is set by the `na.action` setting of `options`, and is `na.fail` if that is unset. The “factory-fresh” default is `na.omit`. Another possible value is `NULL`, no action. Note, that for time series regression special methods like `na.contiguous`, `na.locf` and `na.approx` are available.
- `method`: the method to be used; for fitting, currently only `method = "qr"` is supported; `method = "model.frame"` returns the model frame (the same as with `model = TRUE`, see below).
- `model, x, y, qr`: logicals. If TRUE the corresponding components of the fit (the model frame, the model matrix, the response, the QR decomposition) are returned.
- `singular.ok`: logical. If FALSE (the default in S but not in R) a singular fit is an error.
- `contrasts`: an optional list. See the `contrasts.arg` of `model.matrix.default`.
- `offset`: this can be used to specify an `a priori` known component to be included in the linear predictor during fitting. An `offset` term can be included in the formula instead or as well, and if both are specified their sum is used.
- `start`: start of the time period which should be used for fitting the model.
- `end`: end of the time period which should be used for fitting the model.
- `...`: additional arguments to be passed to the low level regression fitting functions.
Details

The interface and internals of \texttt{dynlm} are very similar to \texttt{lm}, but currently \texttt{dynlm} offers three advantages over the direct use of \texttt{lm}: 1. extended formula processing, 2. preservation of time series attributes, 3. instrumental variables regression (via two-stage least squares).

For specifying the formula of the model to be fitted, there are additional functions available which allow for convenient specification of dynamics (via \texttt{d()} and \texttt{L()}) or linear/cyclical patterns (via \texttt{trend()}, \texttt{season()}, and \texttt{harmon()}). All new formula functions require that their arguments are time series objects (i.e., "ts" or "zoo").

Dynamic models: An example would be \texttt{d(y) ~ L(y, 2)}, where \texttt{d(x, k)} is \texttt{diff(x, lag = k)} and \texttt{L(x, k)} is \texttt{lag(x, lag = -k)}, note the difference in sign. The default for \texttt{k} is in both cases 1. For \texttt{L()}, it can also be vector-valued, e.g., \texttt{y ~ L(y, 1:4)}.

Trends: \texttt{y ~ trend(y)} specifies a linear time trend where \texttt{(1:n)/freq} is used by default as the regressor. \texttt{n} is the number of observations and \texttt{freq} is the frequency of the series (if any, otherwise \texttt{freq = 1}). Alternatively, \texttt{trend(y, scale = FALSE)} would employ \texttt{1:n} and \texttt{time(y)} would employ the original time index.

Seasonal/cyclical patterns: Seasonal patterns can be specified via \texttt{season(x, ref = NULL)} and harmonic patterns via \texttt{harmon(x, order = 1)}. \texttt{season(x, ref = NULL)} creates a factor with levels for each cycle of the season. Using the \texttt{ref} argument, the reference level can be changed from the default first level to any other. \texttt{harmon(x, order = 1)} creates a matrix of regressors corresponding to \texttt{cos(2 * o * pi * time(x))} and \texttt{sin(2 * o * pi * time(x))} where \texttt{o} is chosen from \texttt{1:order}.

See below for examples and \texttt{M1Germany} for a more elaborate application.

Furthermore, a nuisance when working with \texttt{lm} is that it offers only limited support for time series data, hence a major aim of \texttt{dynlm} is to preserve time series properties of the data. Explicit support is currently available for "ts" and "zoo" series. Internally, the data is kept as a "zoo" series and coerced back to "ts" if the original dependent variable was of that class (and no internal NAs were created by the \texttt{na.action}).

To specify a set of instruments, formulas of type \texttt{y ~ x1 + x2 | z1 + z2} can be used where \texttt{z1} and \texttt{z2} represent the instruments. Again, the extended formula processing described above can be employed for all variables in the model.

See Also

\texttt{zoo, merge.zoo}

Examples

```
# Dynamic Linear Models #

## multiplicative SARIMA(1,0,0)(1,0,0)_12 model fitted
## to UK seatbelt data
data("UKDriverDeaths", package = "datasets")
uk <- log10(UKDriverDeaths)
dfm <- dynlm(uk ~ L(uk, 1) + L(uk, 12))
dfm
```

```
## explicitly set start and end
```
dfm <- dynlm(uk ~ L(uk, 1) + L(uk, 12), start = c(1975, 1), end = c(1982, 12))
dfm

## remove lag 12
dfm0 <- update(dfm, . ~ . - L(uk, 12))
anova(dfm0, dfm)

## add season term
dfm1 <- dynlm(uk ~ 1, start = c(1975, 1), end = c(1982, 12))
dfm2 <- dynlm(uk ~ season(uk), start = c(1975, 1), end = c(1982, 12))
anova(dfm1, dfm2)

plot(uk)
lines(fitted(dfm0), col = 2)
lines(fitted(dfm2), col = 4)

## regression on multiple lags in a single L() call
dfm3 <- dynlm(uk ~ L(uk, c(1, 11, 12)), start = c(1975, 1), end = c(1982, 12))
anova(dfm, dfm3)

## Examples 7.11/7.12 from Greene (1993)
data("USDistLag", package = "lmtest")
dfm1 <- dynlm(consumption ~ gnp + L(consumption), data = USDistLag)
dfm2 <- dynlm(consumption ~ gnp + L(gnp), data = USDistLag)
plot(USDistLag[, "consumption"])
lines(fitted(dfm1), col = 2)
lines(fitted(dfm2), col = 4)
if(require("lmtest")) encomptest(dfm1, dfm2)

## Time Series Decomposition

## airline data
data("AirPassengers", package = "datasets")
ap <- log(AirPassengers)
ap_fm <- dynlm(ap ~ trend(ap) + season(ap))
summary(ap_fm)

## Alternative time trend specifications:
##  time(ap) 1949 + (0, 1, ..., 143)/12
##  trend(ap) (1, 2, ..., 144)/12
##  trend(ap, scale = FALSE) (1, 2, ..., 144)

## Exhibit 3.5/3.6 from Cryer & Chan (2008)
if(require("TSA")) {
data("tempdub", package = "TSA")
td_lm <- dynlm(tempdub ~ harmon(tempdub))
summary(td_lm)
plot(tempdub, type = "p")
lines(fitted(td_lm), col = 2)
}
**M1Germany**

---

**Description**

German M1 money demand.

**Usage**

`data(M1Germany)`

**Format**

M1Germany is a "zoo" series containing 4 quarterly time series from 1960(1) to 1996(3).

- `logm1` logarithm of real M1 per capita,
- `logprice` logarithm of a price index,
- `loggnp` logarithm of real per capita gross national product,
- `interest` long-run interest rate,

**Details**

This is essentially the same data set as GermanM1, the important difference is that it is stored as a zoo series and not as a data frame. It does not contain differenced and lagged versions of the variables (as GermanM1 does), because these do not have to be computed explicitly before applying dynlm.

The (short) story behind the data is the following (for more detailed information see GermanM1): Lütkepohl et al. (1999) investigate the linearity and stability of German M1 money demand: they find a stable regression relation for the time before the monetary union on 1990-06-01 but a clear structural instability afterwards. Zeileis et al. (2005) re-analyze this data set in a monitoring situation.

**Source**


**References**


**See Also**

GermanM1
Examples

data("M1Germany")
## fit the model of Luetkepohl et al. (1999) on the history period
## before the monetary unification
histfm <- dynlm(d(logm1) ~ d(L(loggnp, 2)) + d(interest) + d(L(interest)) + d(logprice) +
L(logm1) + L(loggnp) + L(interest) +
season(logm1, ref = 4),
data = M1Germany, start = c(1961, 1), end = c(1990, 2))

## fit on extended sample period
fm <- update(histfm, end = c(1995, 4))

if(require("strucchange")) {
  scus <- gefp(fm, fit = NULL)
  plot(scus, functional = supLM(0.1))
}
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