Package ‘endorse’

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Depends coda, utils
Description Fit the hierarchical and non-hierarchical Bayesian measurement models proposed by Bullock, Imai, and Shapiro (2011) <DOI:10.1093/pan/mpr031> to analyze endorsement experiments. Endorsement experiments are a survey methodology for eliciting truthful responses to sensitive questions. This methodology is helpful when measuring support for socially sensitive political actors such as militant groups. The model is fitted with a Markov chain Monte Carlo algorithm and produces the output containing draws from the posterior distribution.
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Fitting the Measurement Model of Political Support via Markov Chain Monte Carlo

Description

This function generates a sample from the posterior distribution of the measurement model of political support. Individual-level covariates may be included in the model. The details of the model are given under 'Details'. See also Bullock et al. (2011).

Usage

endorse(Y, data, data.village = NA, village = NA, treat = NA, na.strings = 99, identical.lambda = TRUE, covariates = FALSE, formula.indiv = NA, hierarchical = FALSE, formula.village = NA, h = NULL, group = NULL, x.start = 0, s.start = 0, beta.start = 1, tau.start = NA, lambda.start = 0, omega2.start = .1, theta.start = 0, phi2.start = .1, kappa.start = 0, psi2.start = 1, delta.start = 0, zeta.start = 0, rho2.start = 1, mu.beta = 0, mu.x = 0, mu.theta = 0, mu.kappa = 0, mu.delta = 0, mu.zeta = 0, precision.beta = 0.04, precision.x = 1, precision.theta = 0.04, precision.kappa = 0.04, precision.delta = 0.04, precision.zeta = 0.04, s0.omega2 = 1, nu0.omega2 = 10, s0.phi2 = 1, nu0.phi2 = 10, s0.psi2 = 1, nu0.psi2 = 10, s0.sig2 = 1, nu0.sig2 = 400, s0.rho2 = 1, nu0.rho2 = 10, MCMC = 20000, burn = 1000, thin = 1, mh = TRUE, prop = 0.001, x.sd = TRUE, tau.out = FALSE, s.out = FALSE, omega2.out = TRUE, phi2.out = TRUE, psi2.out = TRUE, verbose = TRUE, seed.store = FALSE, update = FALSE, update.start = NULL)

Arguments

Y

a list of the variable names for the responses. It should take the following form: list(Q1 = c("varnameQ1.1", "varnameQ1.2", ...), ...

If treat is NA, the first variable for each question should be the responses of the control observations while each of the other variables should correspond to each endorser. treat should be supplied if only one variable name is provided for a question in this argument. If auxiliary information is included, it is assumed that Y is coded such that higher values indicate more of the sensitive trait.

data

data frame containing the individual-level variables. The cases must be complete, i.e., no NA’s are allowed.
**data.village** data frame containing the village-level variables. The cases must be complete, i.e., no NA’s are allowed. If auxiliary information is included, the data frame should include only the unique group identifier and the unique identifier for the units at which prediction is desired. The package does not currently support the inclusion of covariates in models with auxiliary information.

**village** character. The variable name of the village indicator in the individual-level data. If auxiliary information is included, this should correspond to the variable name of the units at which prediction is desired.

**treat** An optional matrix of non negative integers indicating the treatment status of each observation and each question. Rows are observations and columns are questions. 0 represents the control status while positive integers indicate treatment statuses. If treat is set to NA, the function generates the treatment matrix using Y. The default is NA.

**na.strings** a scalar or a vector indicating the values of the response variable that are to be interpreted as “Don’t Know” or “Refused to Answer.” The value should not be NA unless treat is provided, because NA’s are interpreted as the response to the question with another endorsement. Default is 99.

**identical.lambda** logical. If TRUE, the model with a common lambda across questions will be fitted. The default is TRUE.

**covariates** logical. If TRUE, the model includes individual-level covariates. The default is FALSE.

**formula.indiv** a symbolic description specifying the individual level covariates for the support parameter and the ideal points. The formula should be one-sided, e.g. ~ Z1 + Z2.

**hierarchical** logical. IF TRUE, the hierarchical model with village level predictors will be fitted. The default is FALSE.

**formula.village** a symbolic description specifying the village level covariates for the support parameter and the ideal points. The formula should be one-sided.

**h** Auxiliary data functionality. Optional named numeric vector with length equal to number of groups. Names correspond to group labels and values correspond to auxiliary moments (i.e. to the known share of the sensitive trait at the group level).

**group** Auxiliary data functionality. Optional character string. The variable name of the group indicator in the individual-level data (e.g. group = “county”).

**x.start** starting values for the ideal points vector \( x \). If x.start is set to a scalar, the starting values for the ideal points of all respondents will be set to the scalar. If x.start is a vector of the same length as the number of observations, then this vector will be used as the starting values. The default is \( 0 \).

**s.start** starting values for the support parameter, \( s_{i,j,k} \). If s.start is set to a scalar, the starting values for the support parameter of all respondents and all questions will be the scalar. If s.start is set to a matrix, it should have the same number of rows as the number of observations and the same number of columns as the number of questions. Also, the value should be zero for the control condition. The default is \( 0 \).
beta.start: starting values for the question related parameters, \( \alpha_j \) and \( \beta_j \). If beta.start is set to a scalar, the starting values for the support parameter of all respondents and all questions will be the scalar. If beta.start is set to a matrix, the number of rows should be the number of questions and the number of columns should be 2. The first column will be the starting values for \( \alpha_j \) and the second column will be the starting values for \( \beta_j \). Since the parameter values are constrained to be positive, the starting values should be also positive. The default is 1.

tau.start: starting values for the cut points in the response model. If NA, the function generates the starting values so that each interval between the cut points is 0.5. If tau.start is set to a matrix, the number of rows should be the same as the number of questions and the number of columns should be the maximum value of the number of categories in the responses. The first cut point for each question should be set to 0 while the last one set to the previous cut point plus 1000. The default is NA.

lambda.start: starting values for the coefficients in the support parameter model, \( \lambda_{jk} \). If lambda.start is set to a scalar, the starting values for all coefficients will be the scalar. If lambda.start is set to a matrix, the number of rows should be the number of the individual level covariates (plus the number of villages, if the model is hierarchical), and the number of columns should be the number of endorsers (times the number of questions, if the model is with varying lambdas). The default is 0.

omega2.start: starting values for the variance of the support parameters, \( \omega^2_{jk} \). If set to a scalar, the starting values for omega2.start will be the diagonal matrix with the diagonal elements set to the scalar. If omega2.start is set to a matrix, the number of rows should be the number of questions, while the number of columns should be the same as the number of endorsers. The default is .1.

theta.start: starting values for the means of the \( \lambda_{jk} \) for each endorser. If theta.start is set to a scalar, the starting values for all parameters will be the scalar. If theta.start is set to a matrix, the number of rows should be the number of endorsers and the number of columns should be the dimension of covariates. The default is 0.

phi2.start: starting values for the covariance matrices of the coefficients of the support parameters, \( \Phi_k \). \( \Phi_k \) is assumed to be a diagonal matrix. If phi2.start is set to a scalar, the starting values for all covariance matrices will be the same diagonal matrix with the diagonal elements set to the scalar. If phi2.start is set to a vector, the length should be the number of endorsers times the dimension of covariates. The default is .1.

kappa.start: starting values for the coefficients on village level covariates in the support parameter model, \( \kappa_k \). If kappa.start is set to a scalar, the starting values for all coefficients will be the scalar. If kappa.start is set to a matrix, the number of rows should be the number of the village level covariates, and the number of columns should be the number of endorsers (times the number of questions, if the varying-lambda model is fitted). The default is 0.

psi2.start: starting values for the variance of the village random intercepts in the support parameter model, \( \psi^2_k \). If psi2.start is set to a scalar, the starting values for psi2.start will be the diagonal matrix with the diagonal elements set to the scalar. If
psi2.start is set to a vector, its length should be the number of endorsers (times the number of questions, if the varying-lambda model is fitted). The default is .1.

delta.start starting values for the coefficients on individual level covariates in the ideal point model. Will be used only if covariates = TRUE. If delta.start is set to a scalar, the starting values for all coefficients will be the scalar. If delta.start is set to a vector, the length should be the dimension of covariates. The default is 0.

zeta.start starting values for the coefficients on village level covariates in the ideal point model. Will be used only if covariates = TRUE. If zeta.start is set to a scalar, the starting values for all coefficients will be the scalar. If zeta.start is set to a vector, the length should be the dimension of covariates. The default is 0.

rho2.start numeric. starting values for the variance of the village random intercepts in the ideal point model, $\rho^2$. The default is 1.

mu.beta the mean of the independent Normal prior on the question related parameters. Can be either a scalar or a matrix of dimension the number of questions times 2. The default is 0.

mu.x the mean of the independent Normal prior on the question related parameters. Can be either a scalar or a vector of the same length as the number of observations. The default is 0.

mu.theta the mean of the independent Normal prior on the mean of the coefficients in the support parameter model. Can be either a scalar or a vector of the same length as the dimension of covariates. The default is 0.

mu.kappa the mean of the independent Normal prior on the coefficients of village level covariates. Can be either a scalar or a matrix of dimension the number of covariates times the number of endorsers. If auxiliary information is included, the value of mu.kappa will be computed for each group such that the prior probability of the support parameter taking a positive value is equal to the known value of h. The default is 0.

mu.delta the mean of the independent Normal prior on the the coefficients in the ideal point model. Can be either a scalar or a vector of the same length as the dimension of covariates. The default is 0.

mu.zeta the mean of the independent Normal prior on the the coefficients of village level covariates in the ideal point model. Can be either a scalar or a vector of the same length as the dimension of covariates. The default is 0.

precision.beta the precisions (inverse variances) of the independent Normal prior on the question related parameters. Can be either a scalar or a $2 \times 2$ diagonal matrix. The default is 0.04.

precision.x scalar. The known precision of the independent Normal distribution on the ideal points. The default is 1.

precision.theta the precisions of the independent Normal prior on the means of the coefficients in the support parameter model. Can be either a scalar or a vector of the same length as the dimension of covariates. The default is 0.04.
precision.kappa

the precisions of the independent Normal prior on the coefficients of village level
covariates in the support parameter model. Can be either a scalar or a vector
of the same length as the dimension of covariates. If auxiliary information is
included, the value of precision.kappa will be fixed to 100000. The default is
0.04.

precision.delta

the precisions of the independent Normal prior on the coefficients in the ideal
point model. Can be either a scalar or a square matrix of the same dimension as
the dimension of covariates. The default is 0.04.

precision.zeta

the precisions of the independent Normal prior on the coefficients of village
level covariates in the ideal point model. Can be either a scalar or a square matrix
of the same dimension as the dimension of covariates. The default is 0.04.

s0.omega2

scalar. The scale of the independent scaled inverse-chi-squared prior for the
variance parameter in the support parameter model. If auxiliary information is
included, the value of s0.omega2 will be fixed to the default. The default is 1.

nu0.omega2

scalar. The degrees of freedom of the independent scaled inverse-chi-squared
prior for the variance parameter in the support parameter model. If auxiliary
information is included, the value of nu0.omega2 will be fixed to the default.
The default is 10.

s0.phi2

scalar. The scale of the independent scaled inverse-chi-squared prior for the
variances of the coefficients in the support parameter model. The default is 1.

nu0.phi2

scalar. The degrees of freedom of the independent scaled inverse-chi-squared
prior for the variances of the coefficients in the support parameter model. The
default is 10.

s0.psi2

scalar. The scale of the independent scaled inverse-chi-squared prior for the
variances of the village random intercepts in the support parameter model. The
default is 1.

nu0.psi2

scalar. The degrees of freedom of the independent scaled inverse-chi-squared
prior for the variances of the village random intercepts in the support parameter
model. The default is 10.

s0.sig2

scalar. The scale of the independent scaled inverse-chi-squared prior for the
variance parameter in the ideal point model. The default is 1.

nu0.sig2

scalar. The degrees of freedom of the independent scaled inverse-chi-squared
prior for the variance parameter in the ideal point model. The default is 400.

s0.rho2

scalar. The scale of the independent scaled inverse-chi-squared prior for the
variances of the village random intercepts in the ideal point model. The default
is 1.

nu0.rho2

scalar. The degrees of freedom of the independent scaled inverse-chi-squared
prior for the variances of the village random intercepts in the ideal point model.
The default is 10.

MCMC

the number of iterations for the sampler. The default is 20000.

burn

the number of burn-in iterations for the sampler. The default is 1000.

thin

the thinning interval used in the simulation. The default is 1.
endorse

mh logical. If TRUE, the Metropolis-Hastings algorithm is used to sample the cut points in the response model. The default is TRUE.

prop a positive number or a vector consisting of positive numbers. The length of the vector should be the same as the number of questions. This argument sets proposal variance for the Metropolis-Hastings algorithm in sampling the cut points of the response model. The default is 0.001.

x.sd logical. If TRUE, the standard deviation of the ideal points in each draw will be stored. If FALSE, a sample of the ideal points will be stored. NOTE: Because storing a sample takes an enormous amount of memory, this option should be selected only if the chain is thinned heavily or the data have a small number of observations.

tau.out logical. A switch that determines whether or not to store the cut points in the response model. The default is FALSE.

s.out logical. If TRUE, the support parameter for each respondent and each question will be stored. The default is FALSE. NOTE: Because storing a sample takes an enormous amount of memory, this option should be selected only if the chain is thinned heavily or the data have a small number of observations.

omega2.out logical. If TRUE, the variance parameter of the support parameter model will be stored. The default is TRUE.

phi2.out logical. If TRUE, the variance parameter of the model for the coefficients in the support parameter model will be stored. The default is TRUE.

psi2.out logical. If TRUE, the variance of the village random intercepts in the support parameter model will be stored. The default is TRUE.

verbose logical. A switch that determines whether or not to print the progress of the chain and Metropolis acceptance ratios for the cut points of the response model. The default is TRUE.

seed.store logical. If TRUE, the seed will be stored in order to update the chain later. The default is FALSE.

update logical. If TRUE, the function is run to update a chain. The default is FALSE.

update.start list. If the function is run to update a chain, the output object of the previous run should be supplied. The default is NULL.

Details

The model takes the following form:

Consider an endorsement experiment where we wish to measure the level of support for $K$ political actors. In the survey, respondents are asked whether or not they support each of $J$ policies chosen by researchers. Let $Y_{ij}$ represent respondent $i$’s answer to the survey question regarding policy $j$. Suppose that the response variable $Y_{ij}$ is the ordered factor variable taking one of $L_j$ levels, i.e., $Y_{ij} \in \{0, 1, \ldots, L_j - 1\}$ where $L_j > 1$. We assume that a greater value of $Y_{ij}$ indicates a greater level of support for policy $j$. We denote an $M$ dimensional vector of the observed characteristics of respondent $i$ by $Z_i$.

In the experiment, we randomly assign one of $K$ political actors as an endorser to respondent $i$’s question regarding policy $j$ and denote this treatment variable by $T_{ij} \in \{0, 1, \ldots, K\}$. We use
T_{ij} = 0 to represent the control observations where no political endorsement is attached to the question. Alternatively, one may use the endorsement by a neutral actor as the control group.

The model for the response variable, \( Y_{ij} \), is given by,

\[
Y_{ij} = l \text{ if } \tau_l < Y_{ij}^* \leq \tau_{l+1},
\]

\[
Y_{ij}^* | T_{ij} = k \sim \mathcal{N}(-\alpha_j + \beta_j(x_i + s_{ijk}), I)
\]

where \( l \in \{0, 1, \ldots, L\} \), \( \tau_0 = -\infty < \tau_1 = 0 < \tau_2 < \ldots < \tau_{L_j} = \infty \). \( \beta_j \)'s are assumed to be positive.

The model for the support parameter, \( s_{ijk} \), is given by if \( T_{ij} \neq 0 \),

\[
s_{ijk} \sim \mathcal{N}(Z^T_i \lambda_{jk}, \omega_{jk}^2)
\]

with covariates, and

\[
s_{ijk} \sim \mathcal{N}(\lambda_{jk}, \omega_{jk}^2),
\]

without covariates, for \( j = 1, \ldots, J \), \( k = 1, \ldots, K \), and if \( T_{ij} = 0 \), \( s_{ijk} = 0 \).

The \( \lambda \)'s in the support parameter model are modeled in the following hierarchical manner,

\[
\lambda_{jk} \sim \mathcal{N}(\theta_k, \Phi_k)
\]

for \( k = 1, \ldots, K \).

If you set `identical.lambda = FALSE` and `hierarchical = TRUE`, the model for \( s_{ijk} \) is if \( T_{ij} \neq 0 \),

\[
s_{ijk} \sim \mathcal{N}(\lambda_{jk,village}[i] + Z^T_i \lambda_{jk}, \omega_{jk}^2)
\]

and

\[
\lambda_{jk,village}[i] \sim \mathcal{N}(V^T_{village}[i] \kappa_{jk}, \psi_{jk}^2)
\]

for \( k = 1, \ldots, K \) and \( j = 1, \ldots, J \). In addition, \( \lambda \) and \( \kappa \) are modeled in the following hierarchical manner,

\[
\lambda_{jk}^* \sim \mathcal{N}(\theta_k, \Phi_k)
\]

for \( k = 1, \ldots, K \), where \( \lambda_{jk}^* = (\lambda_{jk}^T, \kappa_{jk})^T \).

If you set `identical.lambda = TRUE` and `hierarchical = TRUE`, the model for \( s_{ijk} \) is if \( T_{ij} \neq 0 \),

\[
s_{ijk} \sim \mathcal{N}(\lambda_{jk,village}[i] + Z^T_i \lambda_{jk}, \omega_{jk}^2)
\]

and

\[
\lambda_{jk,village}[i] \sim \mathcal{N}(V^T_{village}[i] \kappa_{jk}, \psi_{jk}^2)
\]

for \( k = 1, \ldots, K \).

If the covariates are included in the model, the model for the ideal points is given by

\[
x_i \sim \mathcal{N}(Z^T_i \delta, \sigma^2_x)
\]

for \( i = 1, \ldots, N \) where \( \sigma^2_x \) is a known prior variance.

If you set `hierarchical = TRUE`, the model is

\[
x_i \sim \mathcal{N}(\delta^0_{village}[i] + Z^T_i \delta, \sigma^2)
\]
and
\[ \delta^0_{village[i]} \sim \mathcal{N}(V_{village[i]}^T \zeta, \rho^2) \]
for \( k = 1, \ldots, K \).

Finally, the following independent prior distributions are placed on unknown parameters,
\[ \alpha_j \sim \mathcal{N}(\mu_\alpha, \sigma^2_\alpha) \]
for \( j = 1, \ldots, J \),
\[ \beta_j \sim \mathcal{T}\mathcal{N}_{\beta_j > 0}(\mu_\beta, \sigma^2_\beta) \]
for \( j = 1, \ldots, J \),
\[ \delta \sim \mathcal{N}(\mu_\delta, \Sigma_\delta) \]
\[ \theta_k \sim \mathcal{N}(\mu_\theta, \Sigma_\theta) \]
for \( k = 1, \ldots, K \),
\[ \omega^2_{jk} \sim \text{Inv-}\chi^2(\nu^0_\omega, s^0_\omega) \]
for \( j = 1, \ldots, J \) and \( k = 1, \ldots, K \), and
\[ \text{diag}(\Phi_k) \sim \text{Inv-}\chi^2(\nu^0_\Phi, s^0_\Phi) \]
for \( k = 1, \ldots, K \), where \( \Phi_k \) is assumed to be a diagonal matrix.

Value
An object of class "endorse", which is a list containing the following elements:

- beta: an "mcmc" object. A sample from the posterior distribution of \( \alpha \) and \( \beta \).
- x: If x.sd = TRUE, a vector of the standard deviation of the ideal points in each draw. If x.sd = FALSE, an mcmc object that contains a sample from the posterior distribution of the ideal points.
- s: If s.out = TRUE, an mcmc object that contains a sample from the posterior distribution of \( s_{ijk} \). Variable names are: s(\text{observation id})(\text{question id}).
- delta: If covariates = TRUE, an mcmc object that contains a sample from the posterior distribution of \( \delta \).
- tau: If tau.out = TRUE, an mcmc object that contains a sample from the posterior distribution of \( \tau \).
- lambda: an mcmc object. A sample from the posterior distribution of \( \lambda \). Variable names are: lambda(\text{question id})(\text{group id}).(\text{covariate id}).
- theta: an mcmc object. A sample from the posterior distribution of \( \theta \).
- kappa: an mcmc object.
- zeta: an mcmc object.
Note that the posterior sample of all parameters are NOT standardized. In making posterior inference, each parameter should be divided by the standard deviation of \( x \) (in the default setting, it is given as “\( x \)”) or by \( \sigma^2 \) (in the default setting, it is given as “\( \text{sigma}^2 \)”).

Also note that \( \alpha \) and the intercept in \( \delta \) (or, if the model is hierarchical, the intercept in \( \zeta \)) are not identified. Instead,

\[
\begin{align*}
-\alpha + \beta \ast \delta_0 \\
-\alpha + \beta \ast \zeta_0
\end{align*}
\]

or, if the model is hierarchical,

\[
-\alpha + \beta \ast \zeta_0
\]

is identified after either of the above standardization, where \( \delta_0 \) and \( \zeta_0 \) denote the intercepts.

When using the auxiliary data functionality, the following objects are included:

- `aux`: logical value indicating whether estimation incorporates auxiliary moments
- `nh`: integer count of the number of auxiliary moments

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**References**


**Examples**

```r
## Not run:
data(pakistan)
Y <- list(Q1 = c("Polio.a", "Polio.b", "Polio.c", "Polio.d", "Polio.e"),
          Q2 = c("FCR.a", "FCR.b", "FCR.c", "FCR.d", "FCR.e"),
          Q3 = c("Durand.a", "Durand.b", "Durand.c", "Durand.d", "Durand.e"),
          Q4 = c("Curriculum.a", "Curriculum.b", "Curriculum.c", "Curriculum.d", "Curriculum.e"))

e <- endorse(Y = Y, data = pakistan, identical.lambda = FALSE,
covariates = FALSE, hierarchical = FALSE)

e <- endorse(Y = Y, data = pakistan, identical.lambda = FALSE,
covariates = TRUE,
formula.indiv = indiv.covariates,
```
endorse.plot

hierarchical = FALSE)

## Common-lambda non-hierarchical model with covariates
indiv.covariates <- formula(~ female + rural)
endorse.out <- endorse(Y = Y, data = pakistan, identical.lambda = TRUE,
covariates = TRUE,
formula.indiv = indiv.covariates,
hierarchical = FALSE)

## Varying-lambda hierarchical model without covariates
div.data <- data.frame(division = sort(unique(pakistan$division)))
div.formula <- formula(~ 1)
endorse.out <- endorse(Y = Y, data = pakistan, data.village = div.data,
village = "division", identical.lambda = FALSE,
covariates = FALSE, hierarchical = TRUE,
formula.village = div.formula)

## Varying-lambda hierarchical model with covariates
endorse.out <- endorse(Y = Y, data = pakistan, data.village = div.data,
village = "division", identical.lambda = FALSE,
covariates = TRUE,
formula.indiv = indiv.covariates,
hierarchical = TRUE,
formula.village = div.formula)

## Common-lambda hierarchical model without covariates
endorse.out <- endorse(Y = Y, data = pakistan, data.village = div.data,
village = "division", identical.lambda = TRUE,
covariates = FALSE, hierarchical = TRUE,
formula.village = div.formula)

## Common-lambda hierarchical model with covariates
endorse.out <- endorse(Y = Y, data = pakistan, data.village = div.data,
village = "division", identical.lambda = TRUE,
covariates = TRUE,
formula.indiv = indiv.covariates,
hierarchical = TRUE,
formula.village = div.formula)

## End(Not run)

endorse.plot

Descriptive Plot of Endorsement Experiment Data

Description

This function creates a descriptive plot for a question in an endorsement experiment.
endorse.plot

Usage

endorse.plot(Y, data, scale, dk = 98, ra = 99, yaxis = NULL,
col.seq = NA)

Arguments

Y a character vector. List of the variable names for the responses to a question. Each variable name corresponds to each treatment status.

data data frame containing the variables.
scale an integer. The scale of the responses. The function assumes that the responses are coded so that 1 indicates the lowest support while the integer specified in this argument represents the highest support.
dk an integer indicating the value of the response variable that is to be interpreted as “Don’t Know.” Default is 98.
ra an integer indicating the value of the response variable that is to be interpreted as “Refused.” Default is 99.
yaxis a character vector of the same length as Y. The argument will be used for the label of the horizontal axis. The order should be the same as Y.
col.seq a vector of colors for the bars or bar components. By default, a gradation of gray where the darkest indicates the highest support level.

Value

A descriptive plot for the responses to a question.

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Examples

data(pakistan)

Y <- c("Polio.a", "Polio.b", "Polio.c", "Polio.d", "Polio.e")
yaxis <- c("Control", "Kashmir", "Afghan", "Al-Qaida", "Tanzeems")

endorse.plot(Y = Y, data = pakistan, scale = 5)
**GeoCount**  
*Counting Incidents around Points*

**Description**

This function calculates the number of incidents (e.g., violent events) within a specified distance around specified points (e.g., villages).

**Usage**

```r
GeoCount(x, y, distance, x.latitude = "latitude",
         x.longitude = "longitude", y.latitude = "latitude",
         y.longitude = "longitude")
```

**Arguments**

- `x`: data frame containing the longitude and the latitude of points.
- `y`: data frame containing the longitude and the latitude of incidents.
- `distance`: numeric. The distance from points in kilometers.
- `x.latitude`: character. The variable name for the latitude in `x`.
- `x.longitude`: character. The variable name for the longitude in `x`.
- `y.latitude`: character. The variable name for the latitude in `y`.
- `y.longitude`: character. The variable name for the longitude in `y`.

**Author(s)**

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**GeoId**  
*Getting Indices of Incidents around a specified point*

**Description**

This function obtains the indices of incidents within a specified distance around a specified point.

**Usage**

```r
GeoId(x, y, distance, x.latitude = "latitude",
      x.longitude = "longitude", y.latitude = "latitude",
      y.longitude = "longitude")
```
Arguments

\(x\)  
data frame containing the longitude and the latitude of a point.

\(y\)  
data frame containing the longitude and the latitude of incidents.

distance  
numeric. The distance from villages in kilometers.

\(x\).latitude  
character. The variable name for the latitude in \(x\).

\(x\).longitude  
character. The variable name for the longitude in \(x\).

\(y\).latitude  
character. The variable name for the latitude in \(y\).

\(y\).longitude  
character. The variable name for the longitude in \(y\).

Value

A vector containing the indices of \(y\) that are within distance kilometers around the point specified by \(x\). If there are multiple observations in \(x\), the first row is used as the point.

Author(s)

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Description

This data set is a subset of the data from the endorsement experiment conducted in Pakistan to study support for militant groups. The survey was implemented by Fair et al. (2009). It is also used by Bullock et al. (2011).

Usage

data(pakistan)

Format

A data frame containing 5212 observations. The variables are:

- division: division number.
- edu: education. 1 if “illiterate”; 2 if “primary”; 3 if “middle”; 4 if “matric”; 5 if “intermediate (f.a/f.sc),” “graduate (b.a/b.sc.),” or “professionals (m.a/or other professional degree).”
- inc: approximate monthly income. 1 if less than 3000 rupees; 2 if 3000 to 10,000 rupees; 3 if 10,001 to 15,000 rupees; 4 if more than 15,000 rupees.
- female: 0 if male; 1 if female
- rural: 0 if rural; 1 if urban
- Polio.a-e: support for World Health Organization’s plan of universal polio vaccinations in Pakistan. 5 indicates the highest support while 1 indicates the lowest support.
• FCR.a-e: support for the reform of the Frontier Crimes Regulation (FCR) governing the tribal areas. 5 indicates the highest support while 1 indicates the lowest support.

• Durand.a-e: support for using peace jirgas to resolve disputes over the Afghan border, the Durand Line. 5 indicates the highest support while 1 indicates the lowest support.

• Curriculum.a-e: support for the Government of Pakistan’s plan of curriculum reforms in religious schools or madaris. 5 indicates the highest support while 1 indicates the lowest support.

For the response variables, endorsers are:

• varname.a: control (no endorsement).
• varname.b: Pakistani militant groups in Kashmir.
• varname.c: Militants fighting in Afghanistan.
• varname.d: Al-Qaida.
• varname.e: Firqvarana Tanzeems.

Source


References


predict.endorse

Predict Method for the Measurement Model of Political Support

Description

Function to calculate predictions from a measurement model fitted to an endorsement experiment data.

Usage

```r
## S3 method for class 'endorse'
predict(object, newdata, type = c("prob.support", "linear.s"), standardize = TRUE, ...)
```
predict.endorse

Arguments

object     a fitted object of class inheriting from "endorse"
newdata    an optional data frame containing data that will be used to make predictions from. If omitted, the data used to fit the regression are used.
type       the type of prediction required. The default is on the scale of the predicted probability of positive support; the alternative "linear.s" is on the scale of $s_{ijk}$.
standardize logical switch indicating if the predicted values on the scale of $s_{ijk}$ are standardized so that its variance is one.
...         further arguments to be passed to or from other methods.

Details

predict.endorse produces predicted support for political actors from a fitted "endorse" object. If newdata is omitted the predictions are based on the date used for the fit. Setting type specifies the type of predictions. The default is "prob.support", in which case the function computes the average predicted probability of positive support:

$$P(s_{ijk} > 0 \mid Z_i, \lambda_j, \omega_j) = \Phi\left(\frac{Z_i^T \lambda_j}{\omega_j}\right)$$

for each political group $k$. If type is set to be "linear.s", the output is the predicted mean of support parameters:

$$E(s_{ijk} \mid Z_i, \lambda_j) = Z_i^T \lambda_j.$$ 

If the logical standardize is TRUE, the predicted mean of support is standardized by dividing by $\omega_j$.

Value

A "mcmc" object for predicted values.

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See Also

endorse for model fitting
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