Package ‘jrvFinance’

October 13, 2022

Title Basic Finance; NPV/IRR/Annuities/Bond-Pricing; Black Scholes

Version 1.4.3

Description Implements the basic financial analysis
functions similar to (but not identical to) what
is available in most spreadsheet software. This
includes finding the IRR and NPV of regularly
spaced cash flows and annuities. Bond pricing and
YTM calculations are included. In addition, Black
Scholes option pricing and Greeks are also
provided.

Depends R (>= 3.0.0)

License GPL (>= 2)

Encoding UTF-8

VignetteBuilder knitr

Suggests knitr, markdown, rmarkdown

URL https://github.com/jrvarma/jrvFinance

BugReports https://github.com/jrvarma/jrvFinance/issues

RoxygenNote 7.1.1

NeedsCompilation no

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Repository CRAN

Date/Publication 2021-11-05 13:40:02 UTC

R topics documented:

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Description

This package implements the basic financial analysis functions similar to (but not identical to) what is available in most spreadsheet software. This includes finding the IRR, NPV and duration of possibly irregularly spaced cash flows and annuities. Bond pricing, YTM and duration calculations are included. Black Scholes option pricing, Greeks and implied volatility are also provided.

Details

Important functions include:

npv, irr, duration, annuity.pv, bond.price, bond.yield, GenBS, GenBSImplied

For more details, see the vignette

Author(s)

Prof. Jayanth R. Varma <jrvarma@iima.ac.in>

References

The 30/360 day count was converted from C++ code in the QuantLib library. The Newton Raphson solver was converted from C++ code in the Boost library
Present Value of Annuity and Related Functions

Description

Functions to compute present value and future value of annuities, to find instalment given the present value or future value. Can also find the rate or the number of periods given other parameters.

Usage

annuity.pv(
  rate,
  n.periods = Inf,
  instalment = 1,
  terminal.payment = 0,
  immediate.start = FALSE,
  cf.freq = 1,
  comp.freq = 1
)

annuity.fv(
  rate,
  n.periods = Inf,
  instalment = 1,
  terminal.payment = 0,
  immediate.start = FALSE,
  cf.freq = 1,
  comp.freq = 1
)

annuity.instalment(
  rate,
  n.periods = Inf,
  pv = if (missing(fv)) 1 else 0,
  fv = 0,
  terminal.payment = 0,
  immediate.start = FALSE,
  cf.freq = 1,
  comp.freq = 1
)

annuity.periods(
  rate,
  instalment = 1,
  pv = if (missing(fv)) 1 else 0,
  fv = 0,
  terminal.payment = 0,
immediate.start = FALSE,
cf.freq = 1,
comp.freq = 1,
round2int.digits = 3
)

annuity.rate(
  n.periods = Inf,
  instalment = 1,
  pv = if (missing(fv)) 1 else 0,
  fv = 0,
  terminal.payment = 0,
  immediate.start = FALSE,
  cf.freq = 1,
  comp.freq = 1
)

annuity.instalment.breakup(
  rate,
  n.periods = Inf,
  pv = 1,
  immediate.start = FALSE,
  cf.freq = 1,
  comp.freq = 1,
  period.no = 1
)

Arguments

rate          The interest rate in decimal (0.10 or 10e-2 for 10%)
n.periods    The number of periods in the annuity.
instalment    The instalment (cash flow) per period.
terminal.payment Any cash flow at the end of the annuity. For example, a bullet repayment at maturity of the unamortized principal.

immediate.start Logical variable which is TRUE for immediate annuities (the first instalment is due immediately) and FALSE for deferred annuities (the first instalment is due at the end of the first period).
cf.freq       Frequency of annuity payments: 1 for annual, 2 for semi-annual, 12 for monthly.
comp.freq     Frequency of compounding of interest rates: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.

pv            The present value of all the cash flows including the terminal payment.
fv            The future value (at the end of the annuity) of all the cash flows including the terminal payment.
**annuity**

**round2int.digits**

Used only in `annuity.periods`. If the computed number of periods is an integer when rounded to `round2int.digits`, then the rounded integer value is returned. With the default value of 3, 9.9996 is returned as 10, but 9.9994 and 9.3999999 are returned without any rounding.

**period.no** Used only in `annuity.instalment.breakup`. This is the period for which the instalment needs to be broken up into principal and interest parts.

**Details**

These functions are based on the Present Value relationship:

\[
    pv = fv \cdot df = \text{terminal.payment} \cdot df + \frac{\text{instalment}(1 - df)}{r}
\]

where \( df = (1 + r)^{-n\text{.periods}} \) is the \( n\text{.periods} \) discount factor and \( r \) is the per period interest rate computed using `rate`, `cf.freq` and `comp.freq`.

It is intended that only one of \( pv \) or \( fv \) is used in any function call, but internally the functions use \( pv + fv \cdot df \) as the LHS of the present value relationship under the assumption that only of the two is non zero.

The function `annuity.instalment.breakup` regards the annuity as a repayment of a loan equal to \( pv \) plus the present value of \( \text{terminal.payment} \). The instalment paid in period `period.no` is broken up into the principal repayment (amortization) and interest components.

**Value**

For most functions, the return value is one of the arguments described above. For example `annuity.pv` returns \( pv \). The only exception is `annuity.instalment.breakup`. This returns a list with the following components:

- **opening.principal** The principal balance at the beginning of the period
- **closing.principal** The principal balance at the end of the period
- **interest.part** The portion of the instalment which represents interest
- **principal.part** The portion of the instalment which represents principal repayment

**Author(s)**

Prof. Jayanth R. Varma <jrvarma@iima.ac.in>
**bisection.root**  
*Find zero of a function by bracketing the zero and then using bisection.*

**Description**

Tries to find the zero of a function by using the bisection method (\texttt{uniroot}). To call \texttt{uniroot}, the zero must be bracketed by finding two points at which the function value has opposite signs. The main code in this function is a grid search to find such a pair of points. A geometric grid of points between lower and guess and also between guess and upper. This grid is searched for two neighbouring points across which the function changes sign. This brackets the root, and then we try to locate the root by calling \texttt{uniroot}.

**Usage**

```
bisection.root(f, guess, lower, upper, nstep = 100, toler = 1e-06)
```

**Arguments**

- **f**: The function whose zero is to be found. An R function object that takes one numeric argument and returns a numeric value. In an IRR application, this will be the NPV function. In an implied volatility application, the value will be the option price.
- **guess**: The starting value (guess) from which the solver starts searching for the root. Must be positive.
- **lower**: The lower end of the interval within which to search for the root. Must be positive.
- **upper**: The upper end of the interval within which to search for the root. Must be positive.
- **nstep**: The number of steps in the grid search to bracket the zero. See details.
- **toler**: The criterion to determine whether a zero has been found. This is passed on to \texttt{uniroot}.

**Value**

The root (or NA if the method fails)

**Author(s)**

Prof. Jayanth R. Varma
bonds

bonds

Bond pricing using yield to maturity.

Description

bond.price computes the price given the yield to maturity bond.duration computes the duration given the yield to maturity bond.yield computes the yield to maturity given the price bond.prices, bond.durations and bond.yields are wrapper functions that use mapply to vectorize bond.price, bond.duration and bond.yield All arguments to bond.prices, bond.durations and bond.yields can be vectors. On the other hand, bond.price, bond.duration and bond.yield do not allow vectors Standard compounding and day count conventions are supported for all functions.

Usage

bond.price(
    settle, mature, coupon, freq = 2, yield, convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"), comp.freq = freq, redemption_value = 100
)

bond.yield(
    settle, mature, coupon, freq = 2, price, convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"), comp.freq = freq, redemption_value = 100
)

bond.duration(
    settle, mature, coupon, freq = 2, yield, convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"), modified = FALSE, comp.freq = freq, redemption_value = 100
)
bond.TCF(
  settle,
  mature,
  coupon,
  freq = 2,
  convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"),
  redemption_value = 100
)

bond.prices(
  settle,
  mature,
  coupon,
  freq = 2,
  yield,
  convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"),
  comp.freq = freq,
  redemption_value = 100
)

bond.yields(
  settle,
  mature,
  coupon,
  freq = 2,
  price,
  convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"),
  comp.freq = freq,
  redemption_value = 100
)

bond.durations(
  settle,
  mature,
  coupon,
  freq = 2,
  yield,
  convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E"),
  modified = FALSE,
  comp.freq = freq,
  redemption_value = 100
)

**Arguments**

**settle** The settlement date for which the bond is traded. Can be a character string or any object that can be converted into date using `as.Date`. 
mature
The maturity date of the bond. Can be a character string or any object that can be converted into date using `as.Date`

coupon
The coupon rate in decimal (0.10 or 10e-2 for 10%)

freq
The frequency of coupon payments: 1 for annual, 2 for semi-annual, 12 for monthly.

yield
The yield to maturity of the bond

convention
The daycount convention

comp.freq
The frequency of compounding of the bond yield: 1 for annual, 2 for semi-annual, 12 for monthly. Usually same as freq.

redemption_value
The principal amount that the bond will pay on maturity or call. Typically necessary when the bond is expected to be called at premium to par.

price
The clean price of the bond.

modified
A logical value used in duration. TRUE to return Modified Duration, FALSE otherwise

Value
bond.TCF returns a list of three components

t
A vector of cash flow dates in number of years

cf
A vector of cash flows

accrued
The accrued interest

Author(s)
Prof. Jayanth R. Varma <jrvarma@iima.ac.in>

---

**Description**
Convenience functions for finding coupon dates and number of coupons of a bond.

**Usage**

coupons.dates(settle, mature, freq = 2)
coupons.n(settle, mature, freq = 2)
coupons.next(settle, mature, freq = 2)
coupons.prev(settle, mature, freq = 2)
Arguments

settle  The settlement date for which the bond is traded. Can be a character string or any object that can be converted into date using `as.Date`.

mature  The maturity date of the bond. Can be a character string or any object that can be converted into date using `as.Date`.

daycount

freq  The frequency of coupon payments: 1 for annual, 2 for semi-annual, 12 for monthly.

Author(s)

Prof. Jayanth R. Varma <jrvarma@iima.ac.in>

daycount  

Description

Implements 30/360, ACT/360, ACT/360 and 30/360E day count conventions.

Usage

yearFraction(
  d1,
  d2,
  r1,
  r2,
  freq = 2,
  convention = c("30/360", "ACT/ACT", "ACT/360", "30/360E")
)

daycount.actual(d1, d2, variant = c("bond"))

daycount.30.360(d1, d2, variant = c("US", "EU", "IT"))

Arguments

d1  The starting date of period for day counts

d2  The ending date of period for day counts

r1  The starting date of reference period for ACT/ACT day counts

r2  The ending date of reference period for ACT/ACT day counts

freq  The frequency of coupon payments: 1 for annual, 2 for semi-annual, 12 for monthly.

convention  The daycount convention

variant  Three variants of the 30/360 convention are implemented, but only one variant of ACT/ACT is currently implemented
Author(s)

Prof. Jayanth R. Varma <jrvarma@iima.ac.in>

References

The 30/360 day count was converted from C++ code in the QuantLib library

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duration  Duration and Modified Duration

Description

Computes Duration and Modified Duration for cash flows with different cash flow and compounding conventions. Cash flows need not be evenly spaced.

Usage

duration(
  cf,
  rate,
  cf.freq = 1,
  comp.freq = 1,
  cf.t = seq(from = ifelse(immediate.start, 0, 1/cf.freq), by = 1/cf.freq, along.with = cf),
  immediate.start = FALSE,
  modified = FALSE
)

Arguments

cf  Vector of cash flows
rate  The interest rate in decimal (0.10 or 10e-2 for 10%)
cf.freq  Frequency of annuity payments: 1 for annual, 2 for semi-annual, 12 for monthly.
comp.freq  Frequency of compounding of interest rates: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.
cf.t  Optional vector of timing (in years) of cash flows. If omitted regular sequence of years is assumed.

immediate.start
Logical variable which is TRUE when the first cash flows is at the beginning of the first period (for example, immediate annuities) and FALSE when the first cash flows is at the end of the first period (for example, deferred annuities)

modified  in function duration, TRUE if modified duration is desired. FALSE otherwise.
**edate**

*Shift date by a number of months*

**Description**

Convenience function for finding the same date in different months. Used for example to find coupon dates of bonds given the maturity date. See `coupons`.

**Usage**

```r
edate(from, months = 1)
```

**Arguments**

- `from` starting date - a character string or any object that can be converted into date using `as.Date`.
- `months` Number of months (can be negative)

**equiv.rate**

*Equivalent Rates under different Compounding Conventions*

**Description**

Converts an interest rate from one compounding convention to another (for example from semi-annual to monthly compounding or from annual to continuous compounding).

**Usage**

```r
equiv.rate(rate, from.freq = 1, to.freq = 1)
```

**Arguments**

- `rate` The interest rate in decimal (0.10 or 10e-2 for 10%)
- `from.freq` Frequency of compounding of the given interest rate: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.
- `to.freq` Frequency of compounding to which the given interest rate is to be converted: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.
**GenBS**

*Generalized Black Scholes model for pricing vanilla European options*

---

**Description**

Compute values of call and put options as well as the Greeks - the sensitivities of the option price to various input arguments using the Generalized Black Scholes model. "Generalized" means that the asset can have a continuous dividend yield.

**Usage**

GenBS(s, X, r, Sigma, t, div_yield = 0)

**Arguments**

- **s** the spot price of the asset (the stock price for options on stocks)
- **X** the exercise or strike price of the option
- **r** the continuously compounded rate of interest in decimal (0.10 or 10e-2 for 10%) (use equiv.rate to convert to a continuously compounded rate)
- **Sigma** the volatility of the asset price in decimal (0.20 or 20e-2 for 20%)
- **t** the maturity of the option in years
- **div_yield** the continuously compounded dividend yield (0.05 or 5e-2 for 5%) (use equiv.rate to convert to a continuously compounded rate)

**Details**

The Generalized Black Scholes formula for call options is

\[ e^{-rt}(s e^{gt} Nd1 - X Nd2) \]

where

- \( g = r - \text{div\_yield} \)
- \( Nd1 = N(d1) \) and \( Nd2 = N(d2) \)
- \( d1 = \frac{\log(s/X) + (g + Sigma^2/2)t}{Sigma\sqrt{t}} \)
- \( d2 = d1 - Sigma\sqrt{t} \)

\( N \) denotes the normal CDF (pnorm)

For put options, the formula is

\[ e^{-rt}(-s e^{gt} N\text{minusd1} + X N\text{minusd2}) \]

where

- \( N\text{minusd1} = N(-d1) \) and \( N\text{minusd2} = N(-d2) \)

**Value**

A list of the following elements

- **call** the value of a call option
put 
the value of a put option

Greeks 
a list of the following elements

Greeks$callDelta 
the delta of a call option - the sensitivity to the spot price of the asset

Greeks$putDelta 
the delta of a put option - the sensitivity to the spot price of the asset

Greeks$callTheta 
the theta of a call option - the time decay of the option value with passage of time. Note that time is measured in years. To find a daily theta divided by 365.

Greeks$putTheta 
the theta of a put option

Greeks$Gamma 
the gamma of a call or put option - the second derivative with respect to the spot price or the sensitivity of delta to the spot price

Greeks$Vega 
the vega of a call or put option - the sensitivity to the volatility

Greeks$callRho 
the rho of a call option - the sensitivity to the interest rate

Greeks$putRho 
the rho of a put option - the sensitivity to the interest rate

extra 
a list of the following elements

extra$d1 
the d1 of the Generalized Black Scholes formula

extra$d2 
the d2 of the Generalized Black Scholes formula

extra$Nd1 
is \text{pnorm}(d1)

extra$Nd2 
is \text{pnorm}(d2)

extra$Nminusd1 
is \text{pnorm}(-d1)

extra$Nminusd2 
is \text{pnorm}(-d2)

extra$callProb 
the (risk neutral) probability that the call will be exercised = Nd2

extra$putProb 
the (risk neutral) probability that the put will be exercised = Nminusd2

---

**GenBSImplied**

Generalized Black Scholes model implied volatility

**Description**

Find implied volatility given the option price using the generalized Black Scholes model. "Generalized" means that the asset can have a continuous dividend yield.

**Usage**

GenBSImplied(
  s, 
  X, 
  r, 
  price, 
  t, 
)
Arguments

s the spot price of the asset (the stock price for options on stocks)
X the exercise or strike price of the option
r the continuously compounded rate of interest in decimal (0.10 or 10e-2 for 10%)
(price) the price of the option
t the maturity of the option in years
div_yield the continuously compounded dividend yield (0.05 or 5e-2 for 5%)
(PutOpt) TRUE for put options, FALSE for call options
toler passed on to newton.raphson.root The implied volatility is regarded as correct if the solver is able to match the option price to within less than toler. Otherwise the function returns NA
max.iter passed on to newton.raphson.root
convergence passed on to newton.raphson.root

Details

GenBSImplied calls newton.raphson.root and if that fails unirroot

Description

Computes IRR (Internal Rate of Return) for cash flows with different cash flow and compounding conventions. Cash flows need not be evenly spaced.

Usage

irr(
s, X, r, price, t, div_yield, 
PutOpt = FALSE, 
toler = 1e-06, 
max.iter = 100, 
convergence = 1e-08
)
toler = 1e-06, 
tolerance = 1e-08, 
max.iter = 100, 
method = c("default", "newton", "bisection")
)

Arguments

<table>
<thead>
<tr>
<th>Argument</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>cf</td>
<td>Vector of cash flows</td>
</tr>
<tr>
<td>interval</td>
<td>the interval c(lower, upper) within which to search for the IRR</td>
</tr>
<tr>
<td>cf.freq</td>
<td>Frequency of annuity payments: 1 for annual, 2 for semi-annual, 12 for monthly.</td>
</tr>
<tr>
<td>comp.freq</td>
<td>Frequency of compounding of interest rates: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.</td>
</tr>
<tr>
<td>cf.t</td>
<td>Optional vector of timing (in years) of cash flows. If omitted regular sequence of years is assumed.</td>
</tr>
<tr>
<td>r.guess</td>
<td>the starting value (guess) from which the solver starts searching for the IRR</td>
</tr>
<tr>
<td>toler</td>
<td>the argument toler for irr.solve. The IRR is regarded as correct if abs(NPV) is less than toler. Otherwise the irr function returns NA</td>
</tr>
<tr>
<td>convergence</td>
<td>the argument convergence for irr.solve</td>
</tr>
<tr>
<td>max.iter</td>
<td>the argument max.iter for irr.solve</td>
</tr>
<tr>
<td>method</td>
<td>The root finding method to be used. The default is to try Newton-Raphson method (newton.raphson.root) and if that fails to try bisection (bisection.root). The other two choices (newton and bisection force only one of the methods to be tried.</td>
</tr>
</tbody>
</table>

irr.solve  

Solve for IRR (internal rate of return) or YTM (yield to maturity)

Description

This function computes the internal rate of return at which the net present value equals zero. It requires as input a function that computes the net present value of a series of cash flows for a given interest rate as well as the derivative of the NPV with respect to the interest rate (10,000 times this derivative is the PVBP or DV01). In this package, irr.solve is primarily intended to be called by the irr and bond.yield functions. It is made available for those who want to find IRR of more complex instruments.

Usage

irr.solve(
  f, 
  interval = NULL, 
  r.guess = NULL, 
  toler = 1e-06, 
)
newton.raphson.root

convergence = 1e-08,
max.iter = 100,
method = c("default", "newton", "bisection")
)

Arguments

f
The function whose zero is to be found. An R function object that takes one
numeric argument and returns a list of two components (value and gradient). In
the IRR applications, these two components will be the NPV and its derivative
interval
The interval c(lower, upper) within which to search for the IRR
r.guess
The starting value (guess) from which the solver starts searching for the IRR
toler
The argument toler to newton.raphson.root. The IRR is regarded as correct
if abs(NPV) is less than toler. Otherwise the irr.solve returns NA
convergence
The argument convergence to newton.raphson.root.
max.iter
The maximum number of iterations of the Newton-Raphson procedure
method
The root finding method to be used. The default is to try Newton-Raphson
method (newton.raphson.root) and if that fails to try bisection (bisection.root).
The other two choices (newton and bisection force only one of the methods
to be tried.

Details

The function irr.solve is basically an interface to the general root finder newton.raphson.root. However, if newton.raphson.root fails, irr.solve makes an attempt to find the root using uniroot from the R stats package. Uniroot uses bisection and it requires the root to be bracketed (the function must be of opposite sign at the two end points - lower and upper).

Value

The function irr.solve returns NA if the IRR/YTM could not be found. Otherwise it returns the IRR/YTM. When NA is returned, a warning message is printed

Author(s)

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---

newton.raphson.root  A Newton Raphson root finder: finds x such that f(x) = 0

Description

The function newton.raphson.root is a general root finder which can find the zero of any function whose derivative is available. In this package, it is called by irr.solve and by GenBSImplied. It can be used in other situations as well - see the examples below.
Usage

```r
newton.raphson.root(
  f,
  guess = 0,
  lower = -Inf,
  upper = Inf,
  max.iter = 100,
  toler = 1e-06,
  convergence = 1e-08
)
```

Arguments

- `f`: The function whose zero is to be found. An R function object that takes one numeric argument and returns a list of two components (value and gradient). In an IRR application, these two components will be the NPV and the DV01/10000. In an implied volatility application, the components will be the option price and the vega. See also the examples below
- `guess`: The starting value (guess) from which the solver starts searching for the IRR
- `lower`: The lower end of the interval within which to search for the root
- `upper`: The upper end of the interval within which to search for the root
- `max.iter`: The maximum number of iterations of the Newton-Raphson procedure
- `toler`: The criterion to determine whether a zero has been found. If the value of the function exceeds `toler` in absolute value, then `NA` is returned with a warning
- `convergence`: The relative tolerance threshold used to determine whether the Newton-Raphson procedure has converged. The procedure terminates when the last step is less than `convergence` times the current estimate of the root. Convergence can take place to a non zero local minimum. This is checked using the `toler` criterion below

Value

The function returns `NA` under either of two conditions: (a) the procedure did not converge after `max.iter` iterations, or (b) the procedure converged but the function value is not zero within the limits of `toler` at this point. The second condition usually implies that the procedure has converged to a non zero local minimum from which there is no downhill gradient.

If the iterations converge to a genuine root (within the limits of `toler`), then it returns the root that was found.

References

The Newton Raphson solver was converted from C++ code in the Boost library
### Description

Computes NPV (Net Present Value) for cash flows with different cash flow and compounding conventions. Cash flows need not be evenly spaced.

### Usage

```r
npv(
  cf,  # Vector of cash flows
  rate,  # The interest rate in decimal (0.10 or 10e-2 for 10%)
  cf.freq = 1,  # Frequency of annuity payments: 1 for annual, 2 for semi-annual, 12 for monthly.
  comp.freq = 1,  # Frequency of compounding of interest rates: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.
  cf.t = seq(from = if (immediate.start) 0 else 1/cf.freq, by = 1/cf.freq, along.with = cf),  # Optional vector of timing (in years) of cash flows. If omitted regular sequence of years is assumed.
  immediate.start = FALSE  # Logical variable which is TRUE when the first cash flows is at the beginning of the first period (for example, immediate annuities) and FALSE when the first cash flows is at the end of the first period (for example, deferred annuities)
)
```

### Arguments

- **cf**: Vector of cash flows
- **rate**: The interest rate in decimal (0.10 or 10e-2 for 10%)
- **cf.freq**: Frequency of annuity payments: 1 for annual, 2 for semi-annual, 12 for monthly.
- **comp.freq**: Frequency of compounding of interest rates: 1 for annual, 2 for semi-annual, 12 for monthly, Inf for continuous compounding.
- **cf.t**: Optional vector of timing (in years) of cash flows. If omitted regular sequence of years is assumed.
- **immediate.start**: Logical variable which is TRUE when the first cash flows is at the beginning of the first period (for example, immediate annuities) and FALSE when the first cash flows is at the end of the first period (for example, deferred annuities)
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